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# Control Structures

## (Advanced Control)

Prof. Cesar de Prada

Dpt. Systems Engineering and Automatic Control  
University of Valladolid, Spain

[Prada@autom.uva.es](mailto:Prada@autom.uva.es)



# Control Structures

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- ✓ Changes made in conventional control loops in order to improve:
  - Disturbance rejection
  - Ratio between variables
  - Operation with several competing variables
  - Operation with several controllers
  - Operation with several actuators
  - Etc.

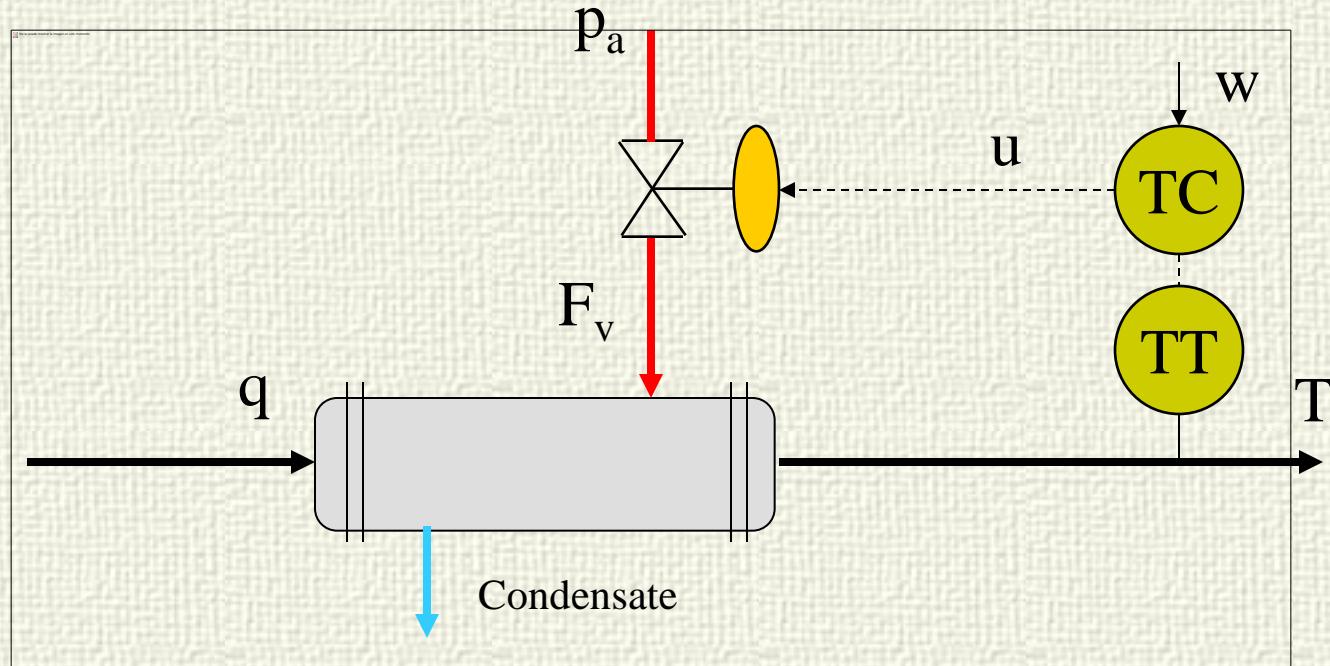


# Control structures

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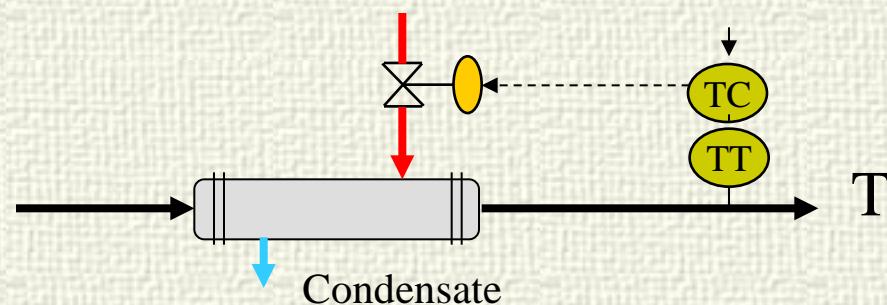
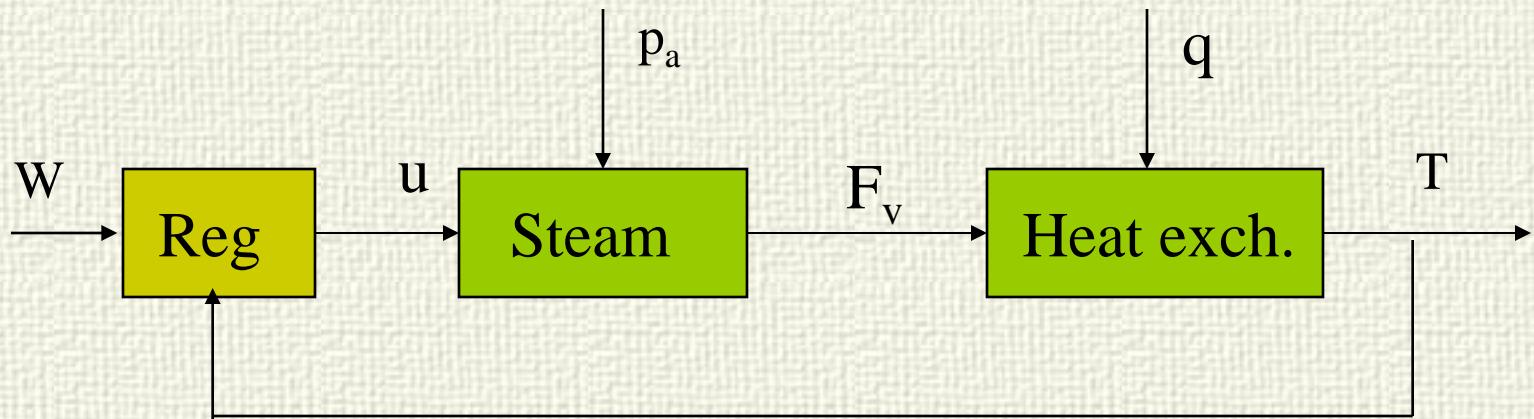
- ✓ Cascade loops
- ✓ Feedforward compensators
- ✓ Ratio controllers
- ✓ Selective control
- ✓ Override control
- ✓ Split range
- ✓ Inferential control
- ✓ Examples of control of several process units
- ✓ Design methodology

# Standard control loop

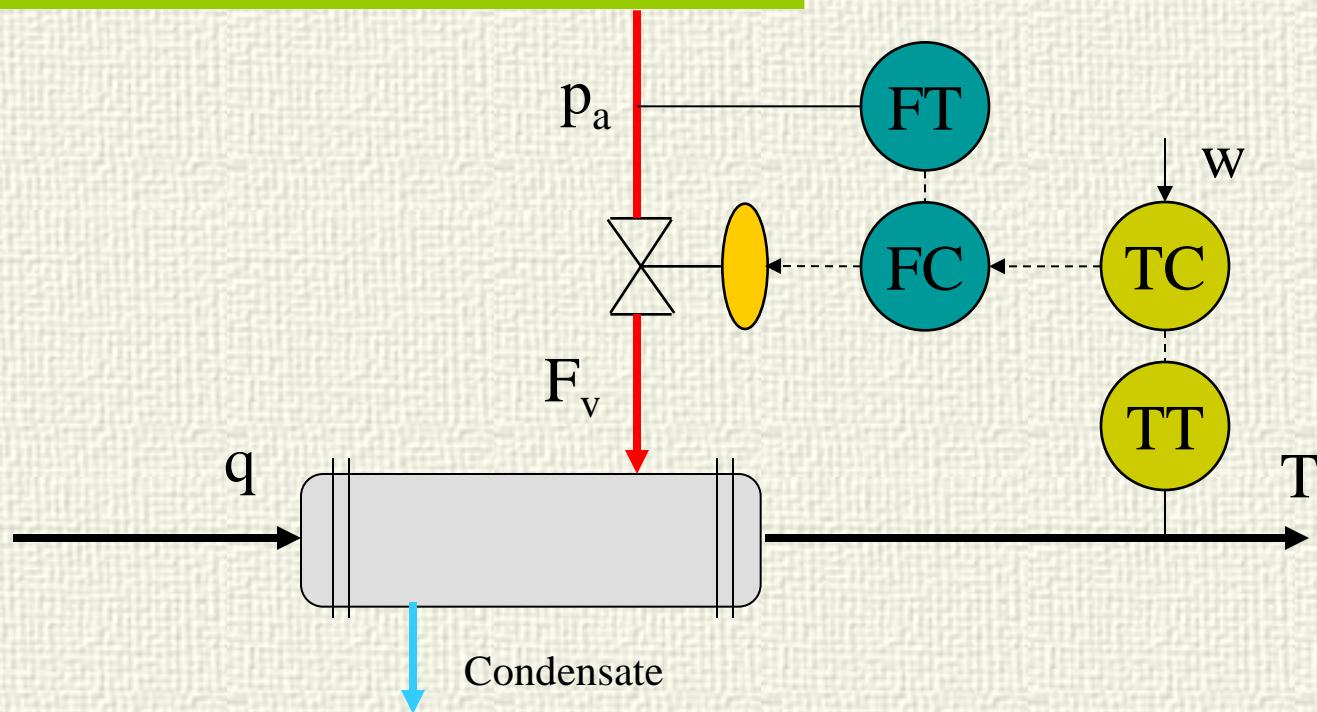


If  $p_a$  changes,  $T$  will change and the disturbance will be corrected by the controller using the signal  $u$  to the valve

# Block Diagram

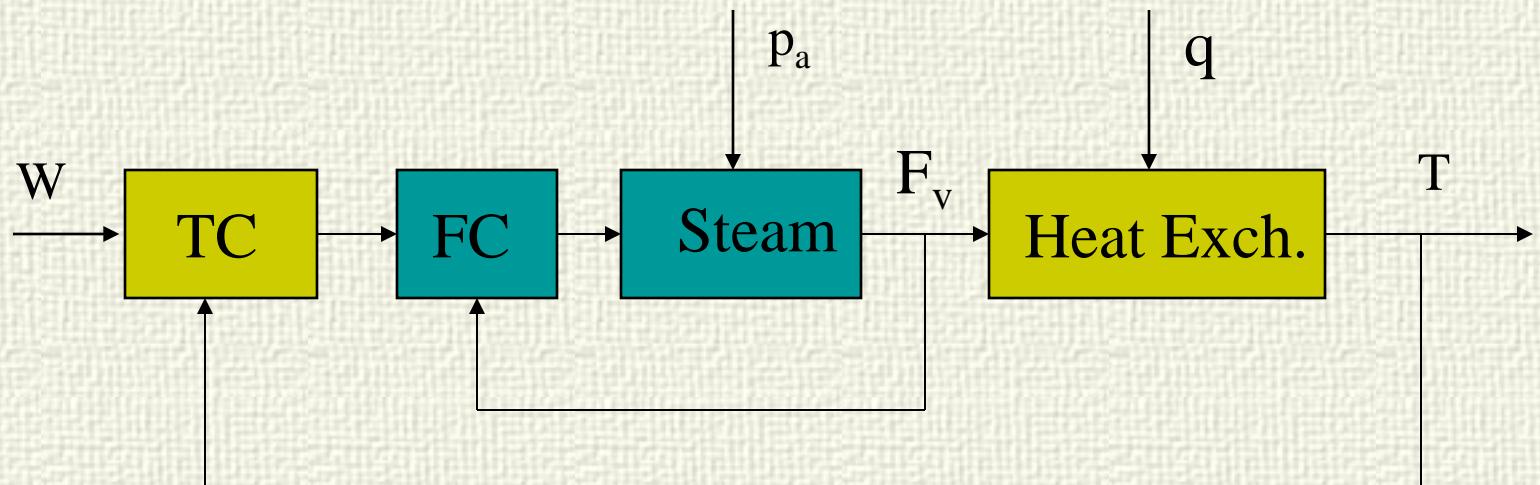


# Cascade of controllers



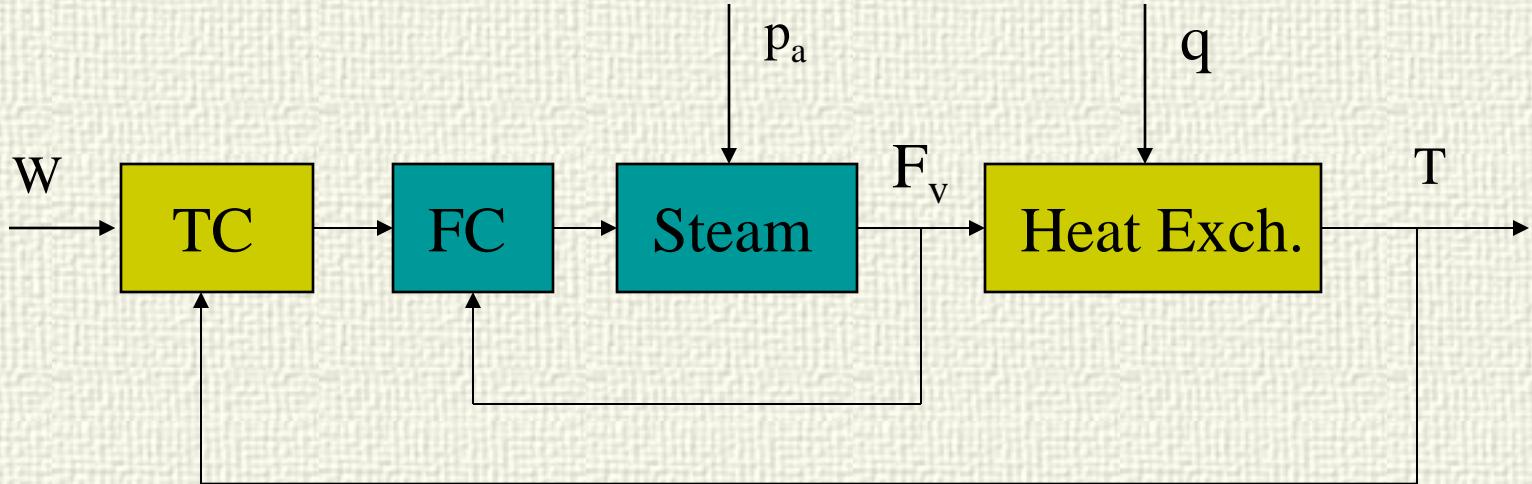
The external regulator (TC) changes the set point of the internal one (FC), which corrects the effect of the pressure change in  $p_a$  over  $F_v$  before the disturbance affects the heat exchanger in a significant way

# Cascade control



The external regulator (TC) changes the set point of the internal one (FC), which corrects the effect of the pressure change in  $p_a$  over  $F_v$  before the disturbance affects the heat exchanger in a significant way

# Cascade Control



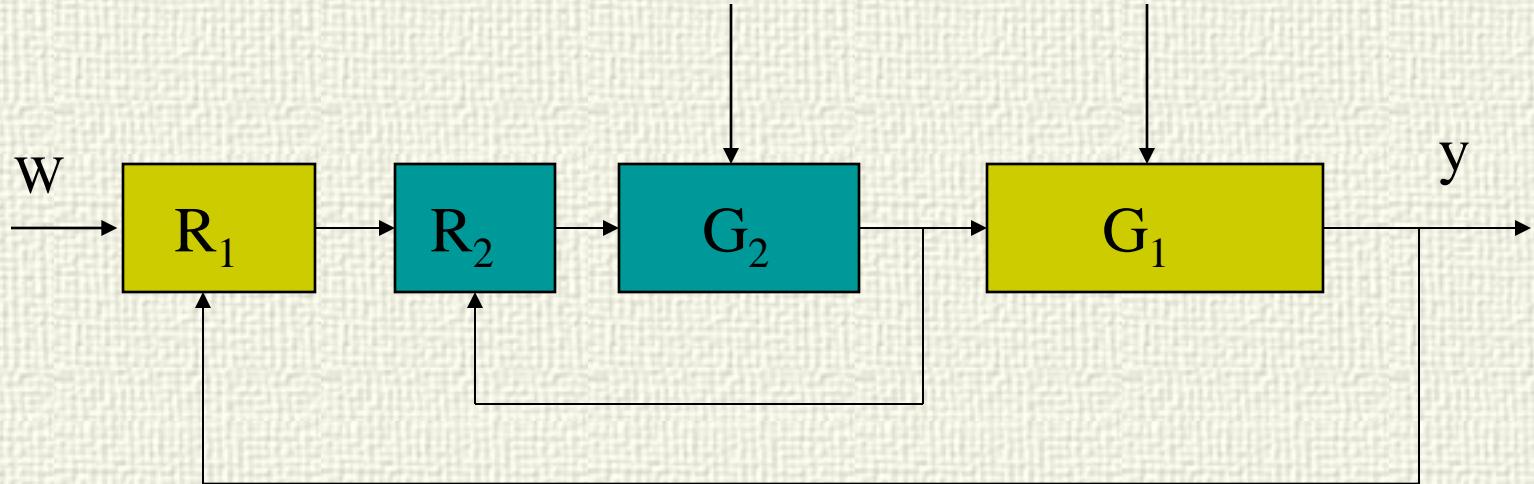
Main process (TC-Heat Exchanger) slow

Secondary process (FC-Steam) fast

Disturbances on the secondary part of the process that can be corrected

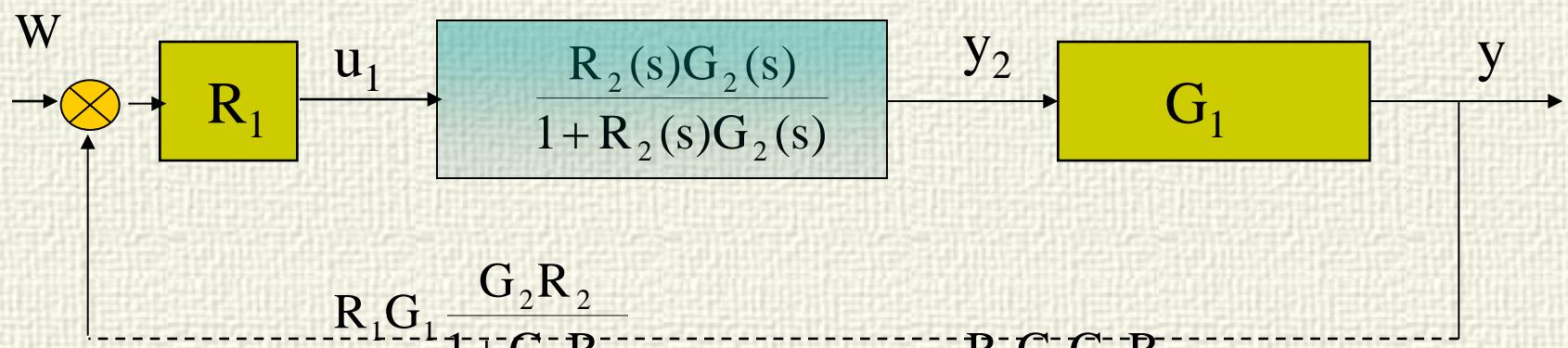
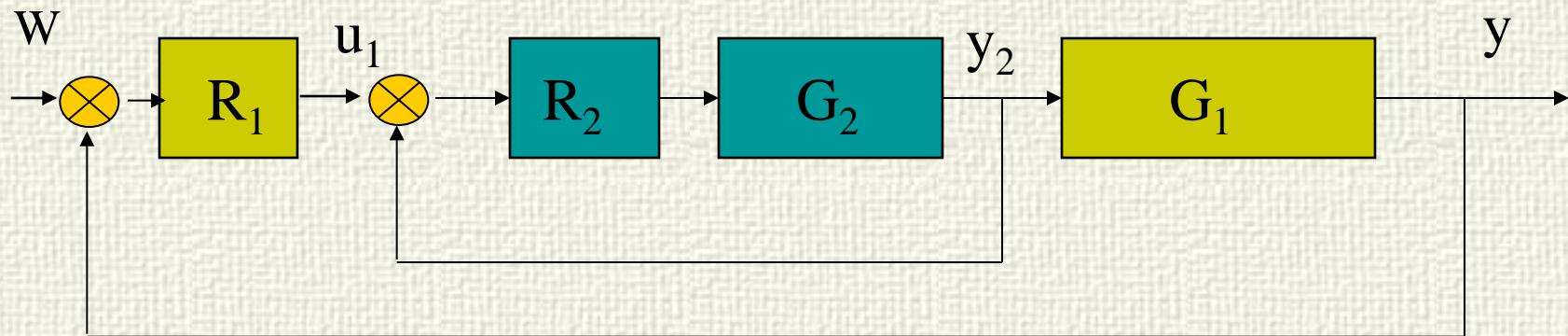
More instrumentation

# Tuning/Operation



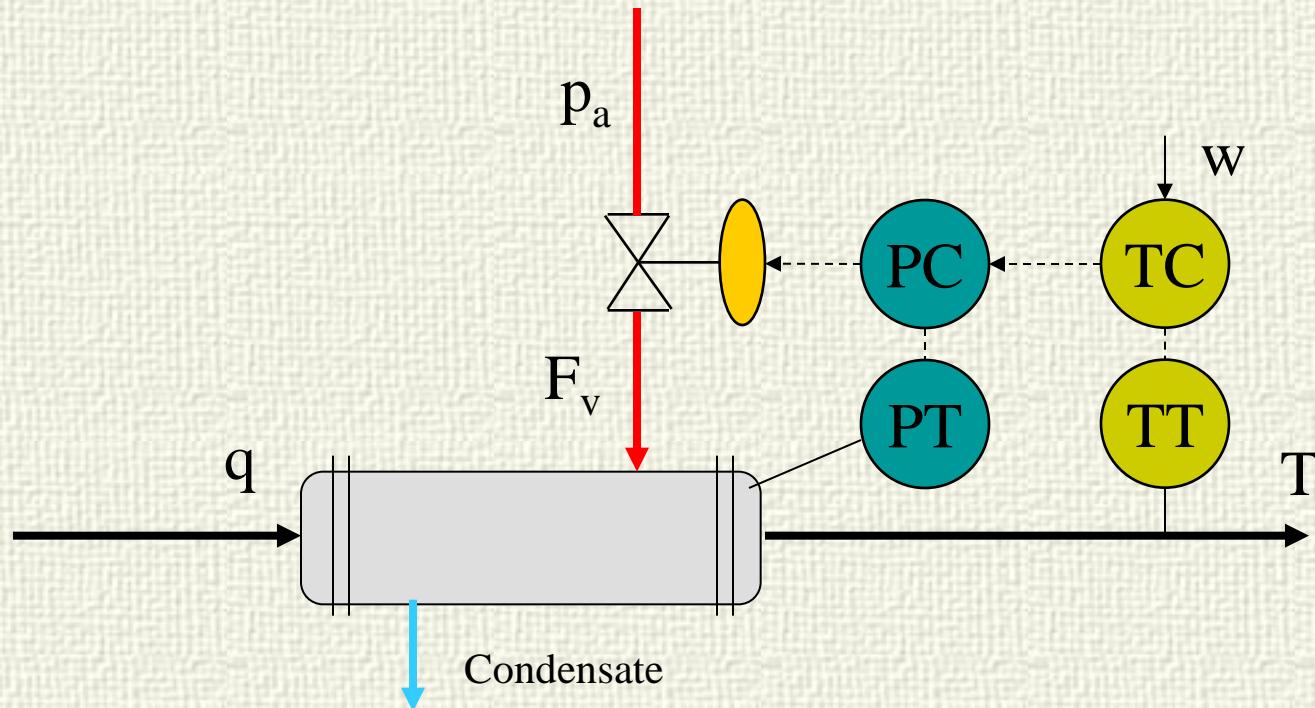
Internal loops must be tuned first, then the external ones  
Generally speaking, cascade control is faster than single loop  
If a controller is in manual, all loops external to it must be in manual

# Closed loop TF



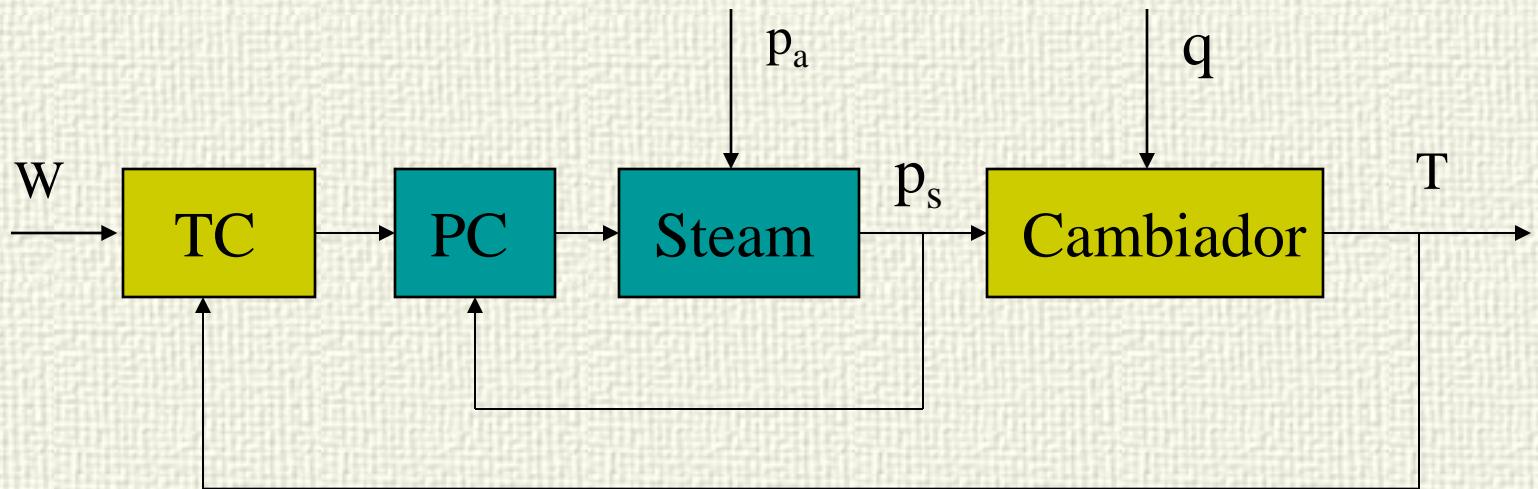
$$Y_1(s) = \frac{R_1 G_1 \frac{G_2 R_2}{1+G_2 R_2}}{1+R_1 G_1 \frac{G_2 R_2}{1+G_2 R_2}} W_1(s) = \frac{R_1 G_1 G_2 R_2}{(1+G_2 R_2) + R_1 G_1 G_2 R_2} W_1(s)$$

# Cascade Temp-Pressure



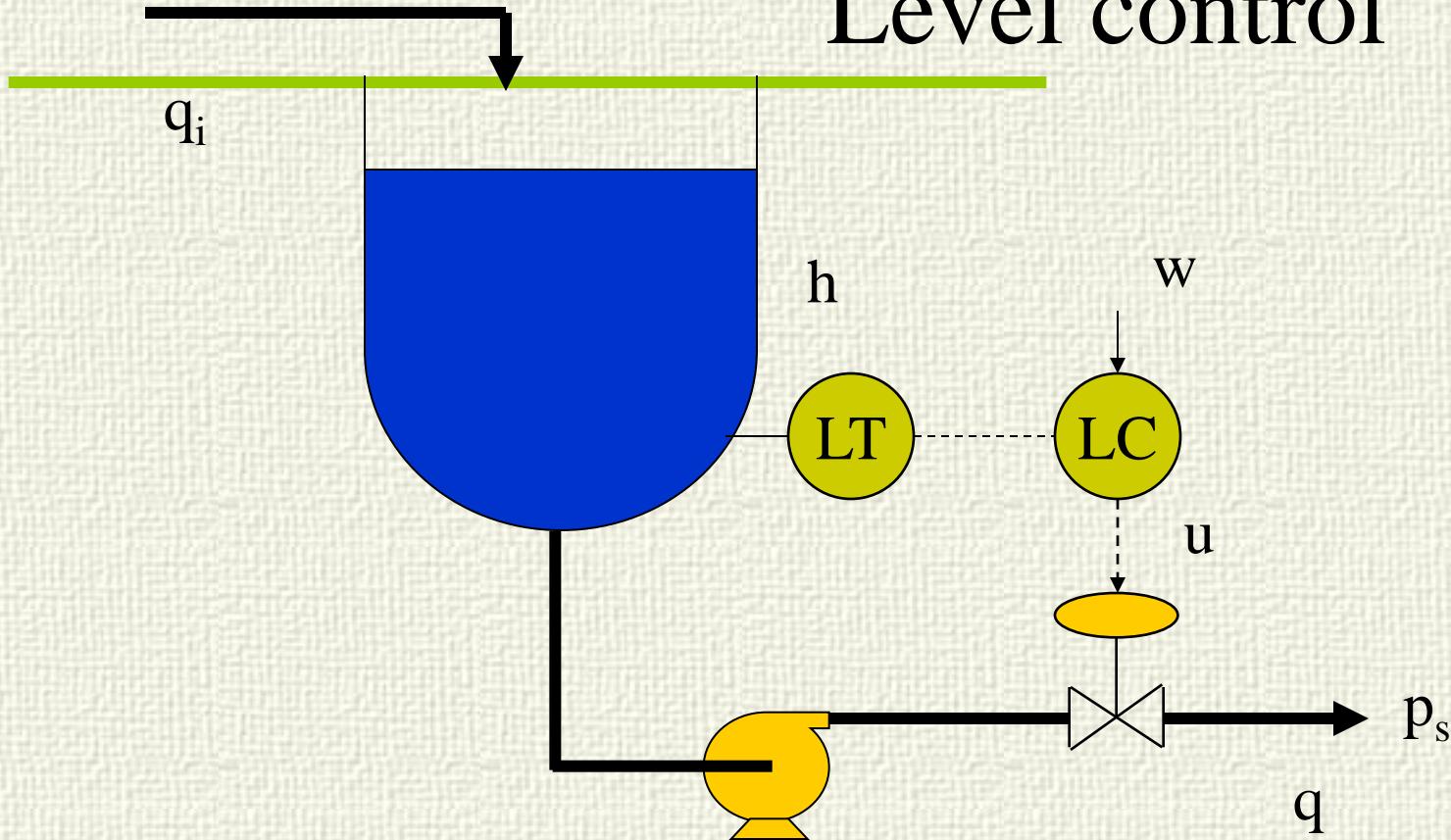
An internal pressure controller (PC) can perform a more efficient operation

# Cascade Control



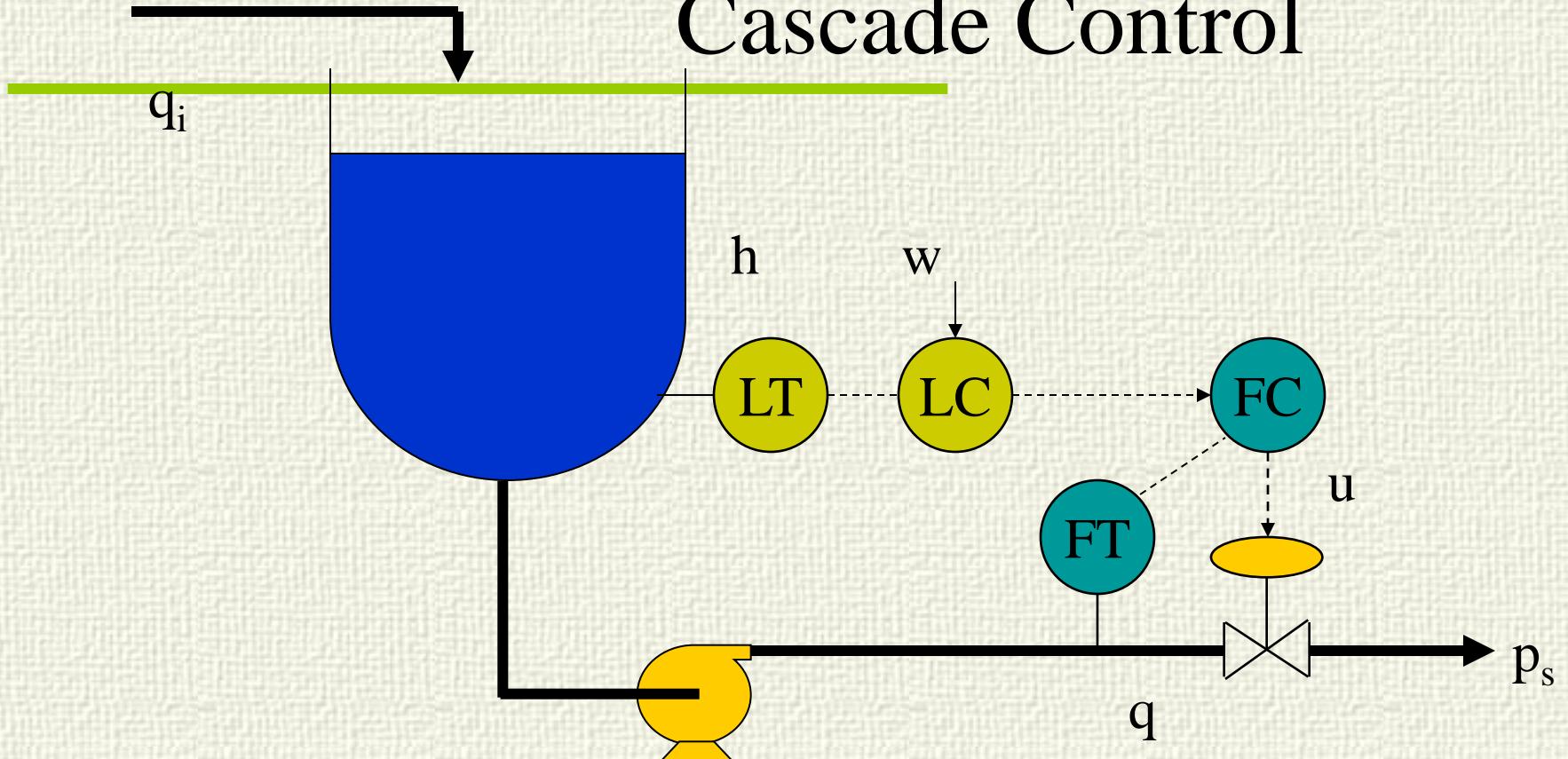
The external controller (TC) commands the SP of the internal one (PC) which corrects the effect of changes in  $p_a$  over  $p_s$  before they reach the heat exchanger

# Level control



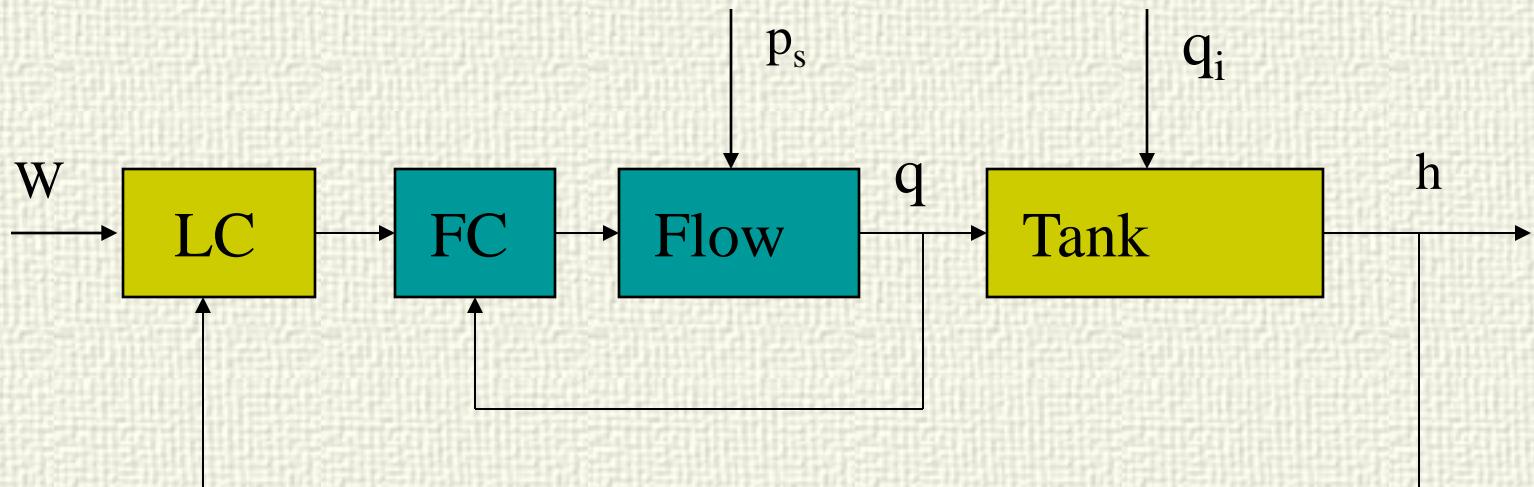
Changes in pressure  $p_s$  at the end of the line modify the flow  $q$  and the level  $h$ . The controller changes  $u$  to restore level

# Cascade Control



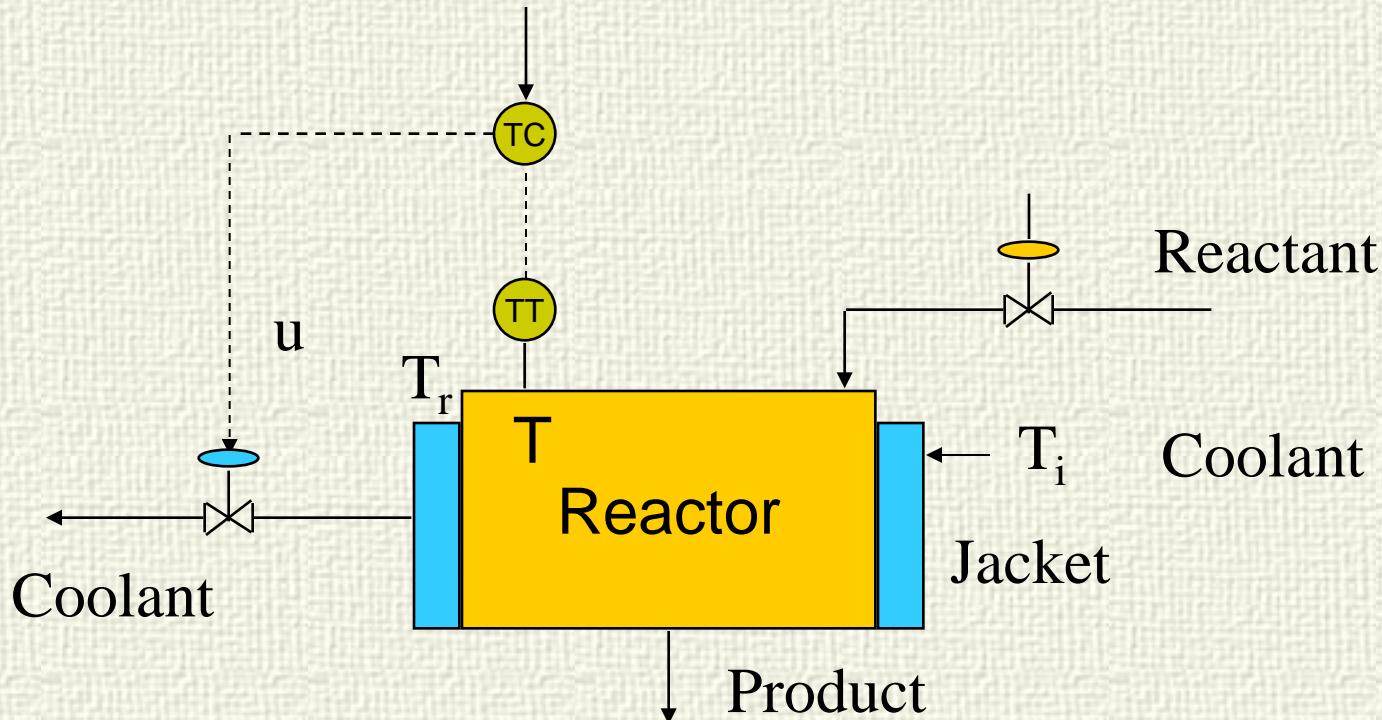
The external regulator (LC) modifies the internal one (FC) SP, which corrects the disturbances on  $q$  before they affect in a significant way the tank level  $h$

# Cascade Level-Flow



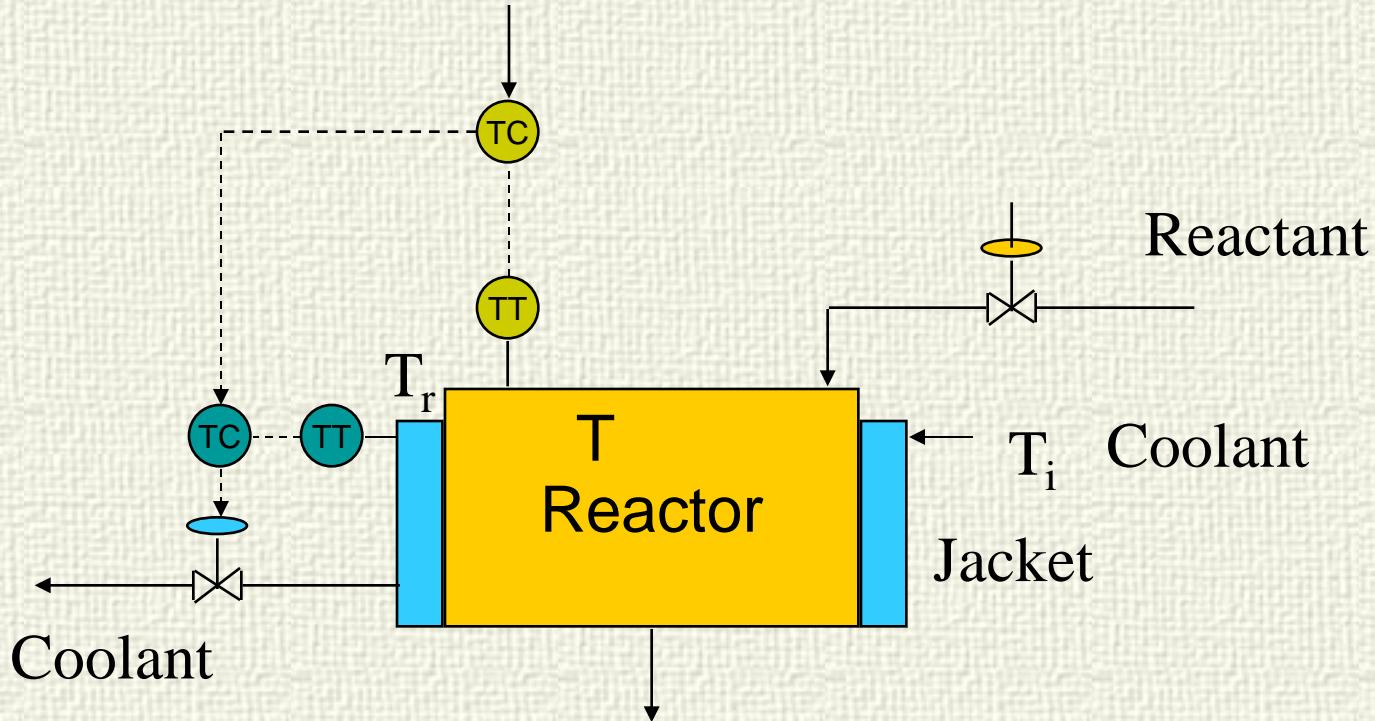
The external regulator (LC) modifies the external one (FC) SP, which corrects the disturbances on  $q$  before they affect in a significant way the tank level  $h$

# Temperature- Reactor



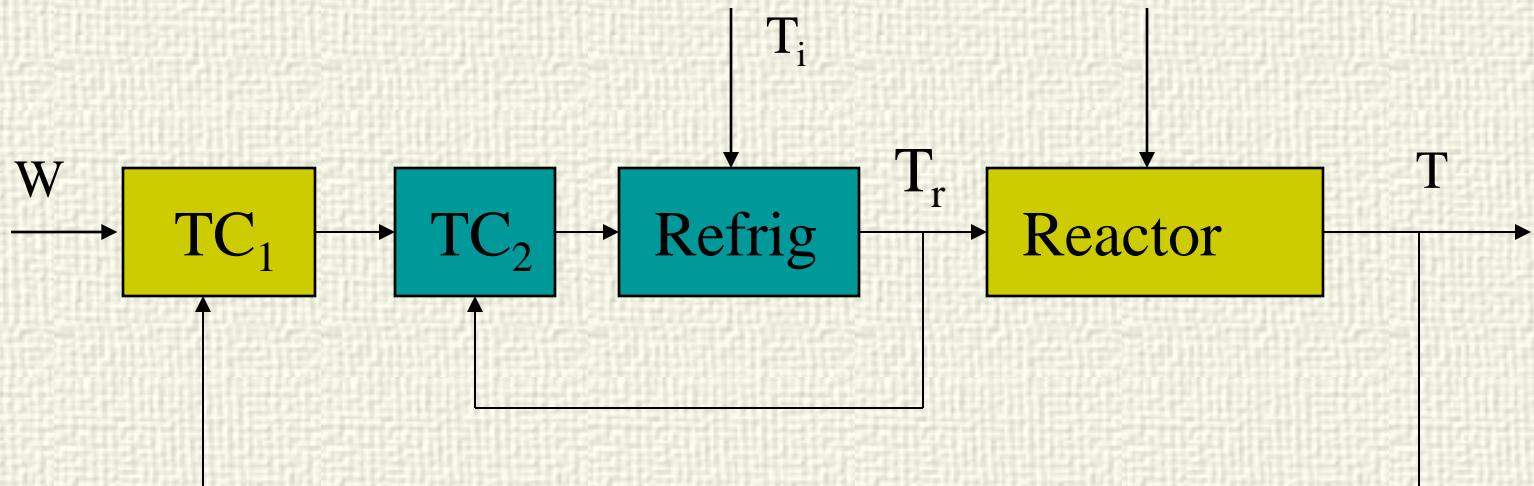
If the input refrigerant temperature  $T_i$  changes:  $T_r$  and  $T$  will change too and the TC controller will correct it by changing the control signal  $u$

# Cascade Temp-Temp



The external regulator ( $TC_1$ ) modifies the internal one ( $TC_2$ ) SP, which corrects the effect of the disturbance  $T_i$  on  $T_r$  before they affect  $T$  in a significant way

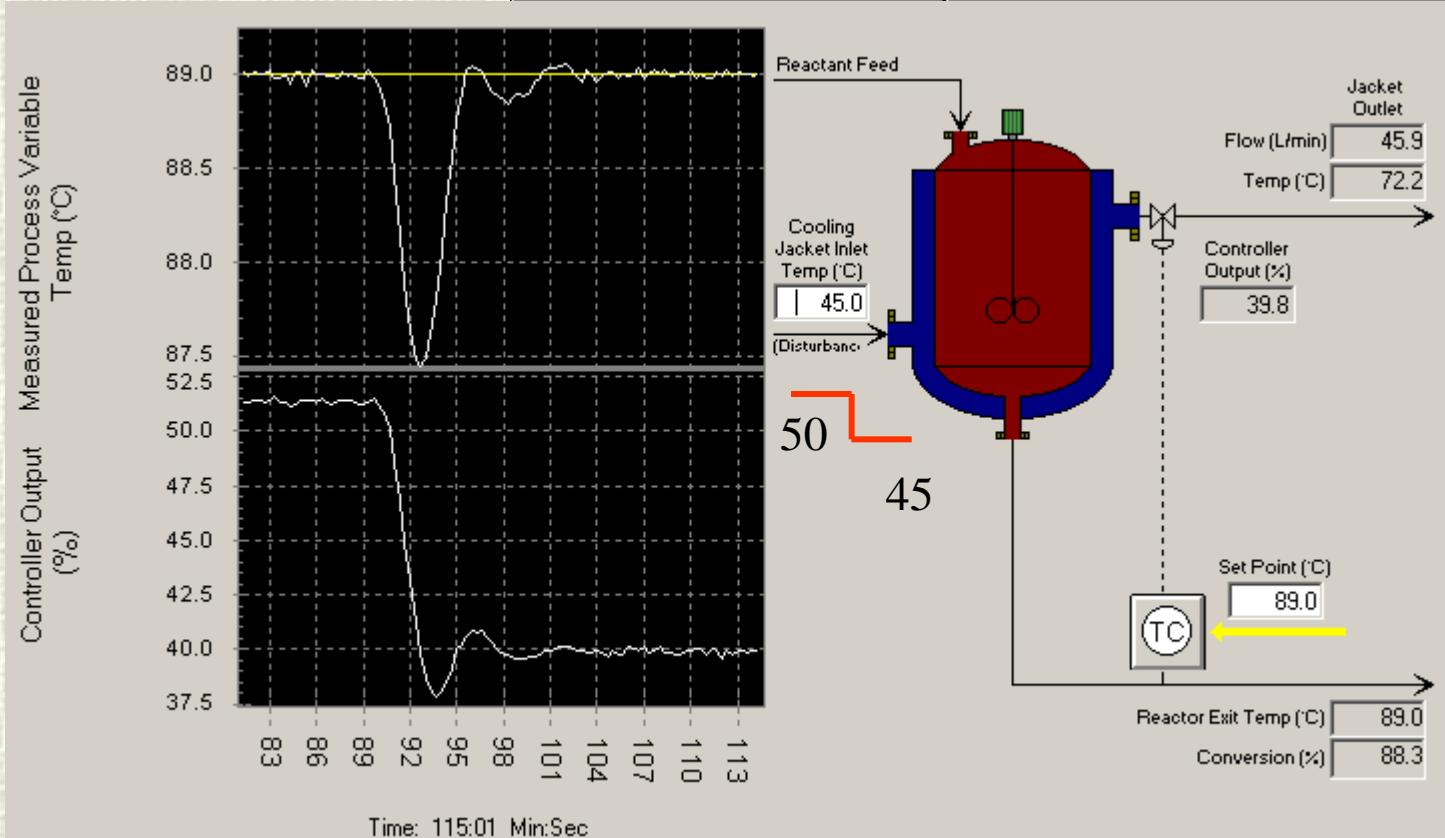
# Cascade Temp-Temp



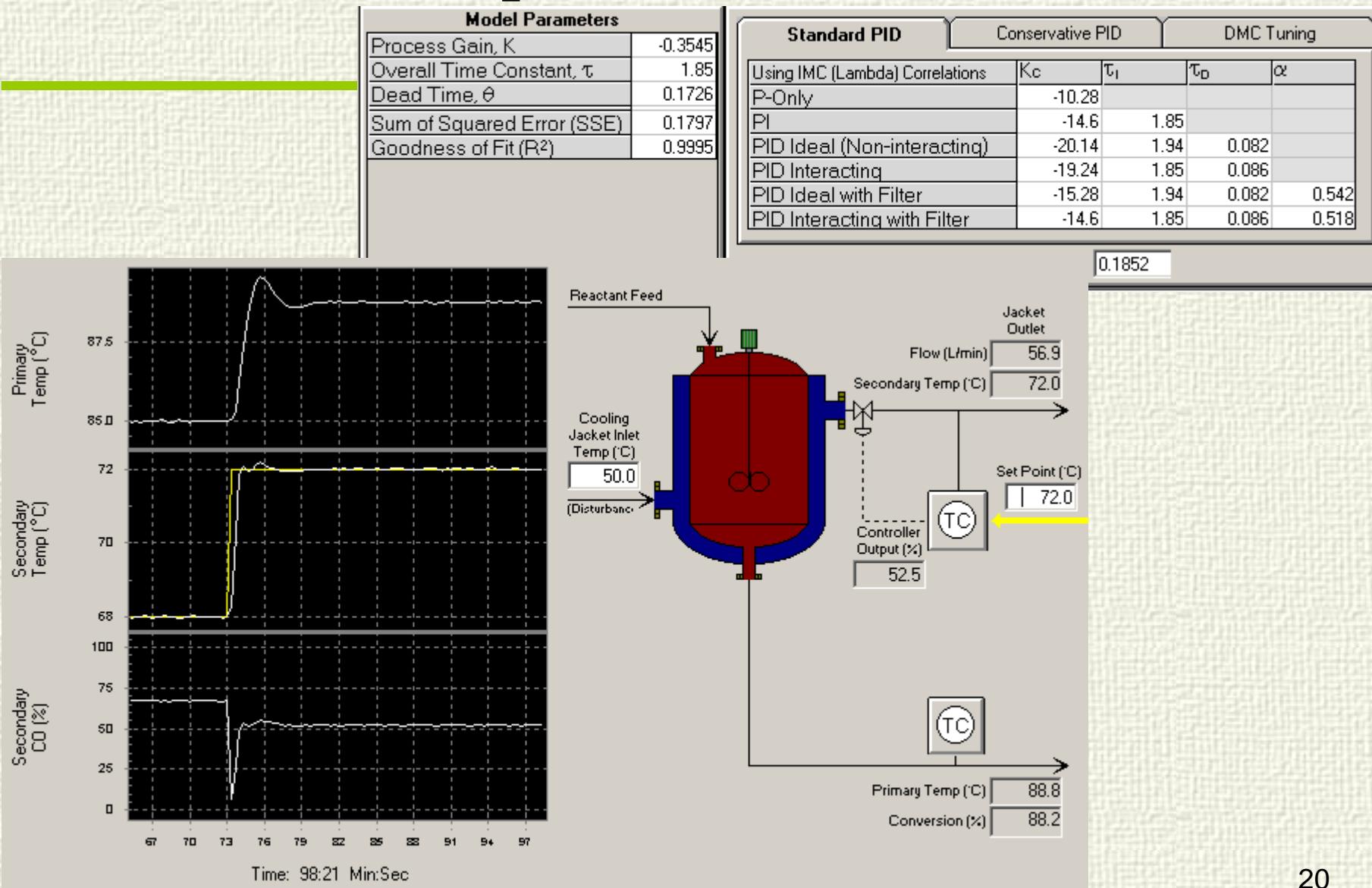
The external regulator ( $TC_1$ ) modifies the internal one ( $TC_2$ ) SP, which corrects the effect of the disturbance  $T_i$  on  $T_r$  before they affect  $T$  in a significant way

# Temperature reactor control

Model Parameters				
Process Gain, K	-0.3197			
Overall Time Constant, $\tau$	1.79			
Dead Time, $\theta$	0.7437			
Sum of Squared Error (SSE)	0.2868			
Goodness of Fit ( $R^2$ )	0.9989			
Standard PID				
Conservative PID				
DMC Tuning				
Using IMC (Lambda) Correlations	$K_c$	$T_i$	$T_d$	$\alpha$
P-Only	-1.84			
PI	-4.18	1.79		
PID Ideal (Non-interacting)	-6.99	2.16	0.308	
PID Interacting	-5.79	1.79	0.372	
PID Ideal with Filter	-5.05	2.16	0.308	0.537
PID Interacting with Filter	-4.18	1.79	0.372	0.444
User Specified Closed Loop Time Constant:	0.595			

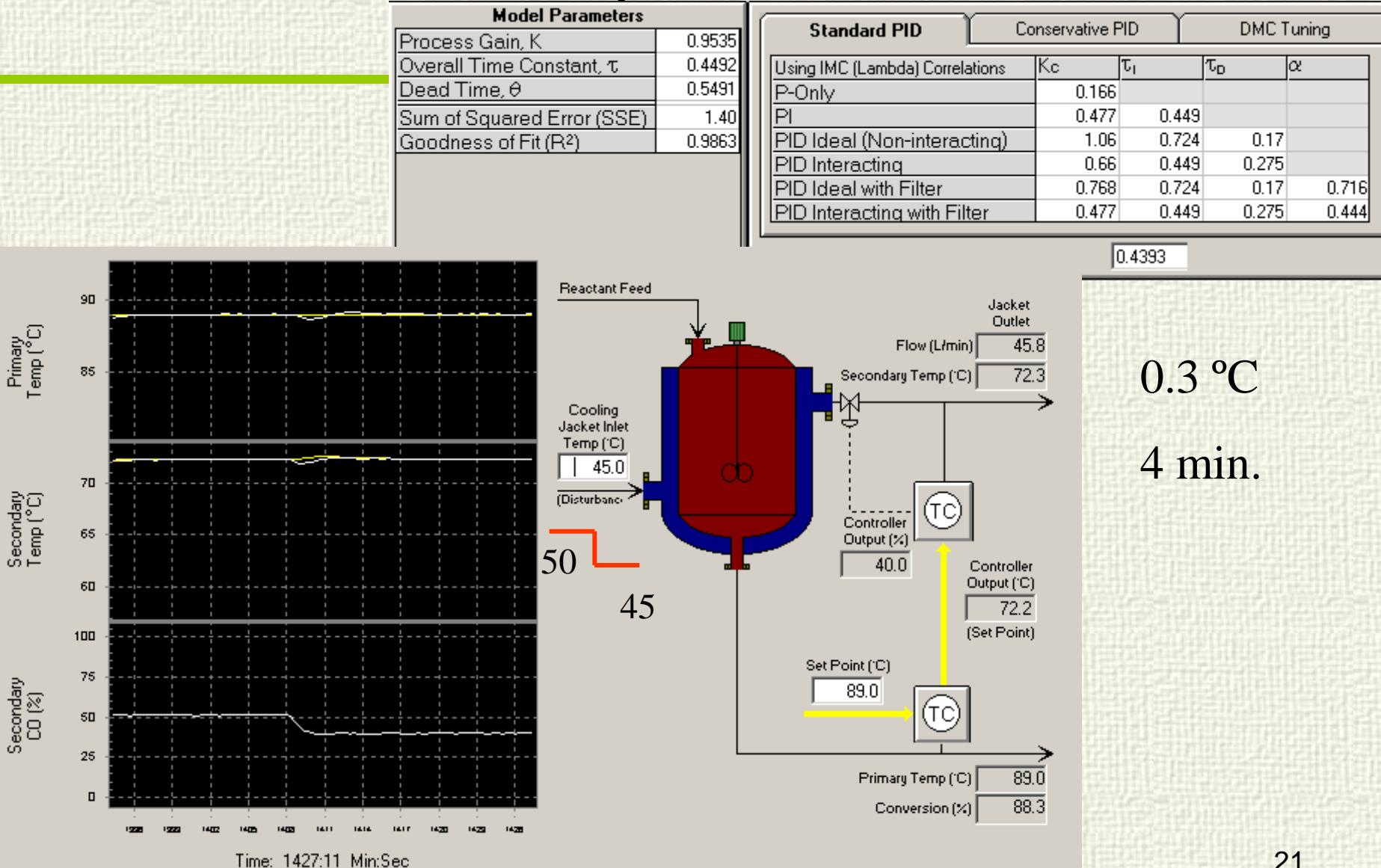


# Jacket temperature reactor control

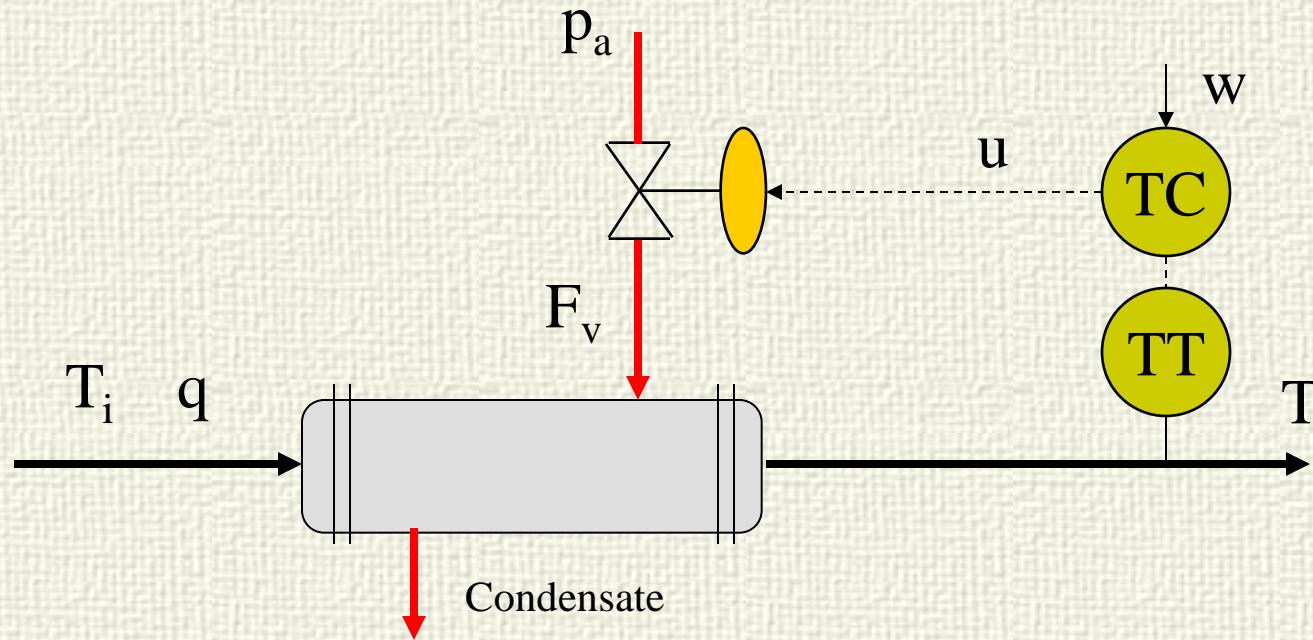




# Cascade temp reactor control

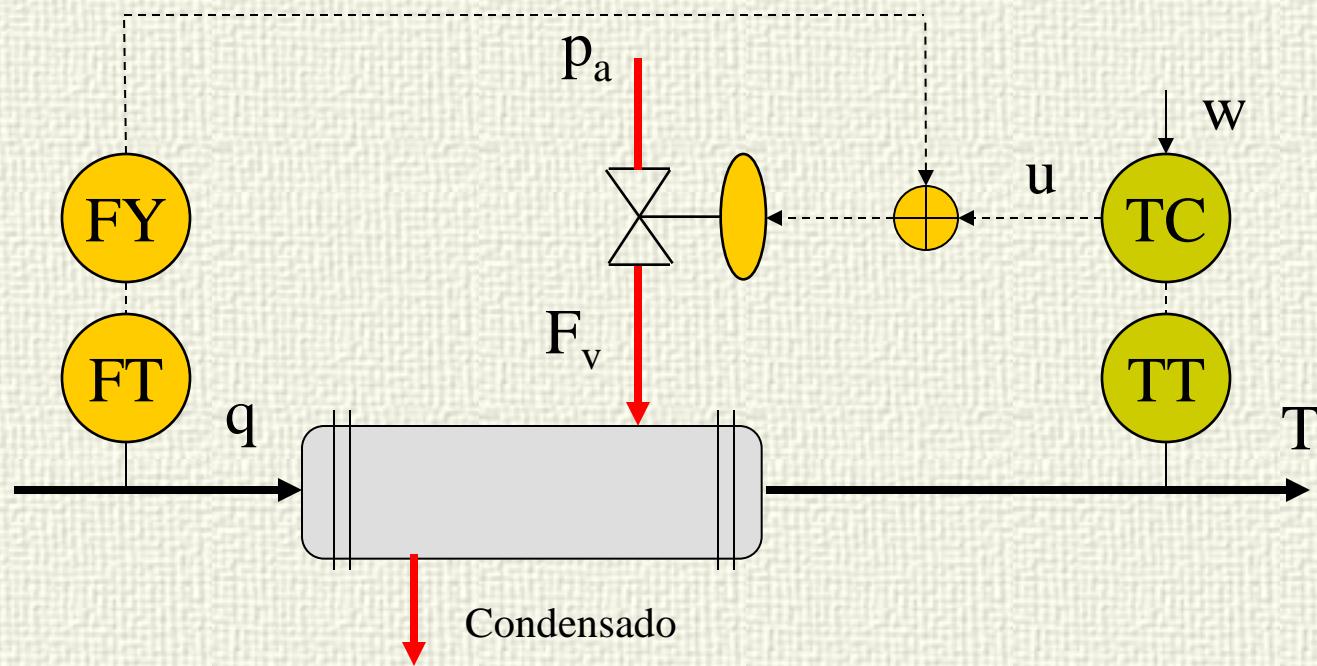


# Feedforward control



If there are changes in the flow  $q$  or in  $T_i$ :  
The controller only reacts when  $T$  has changed

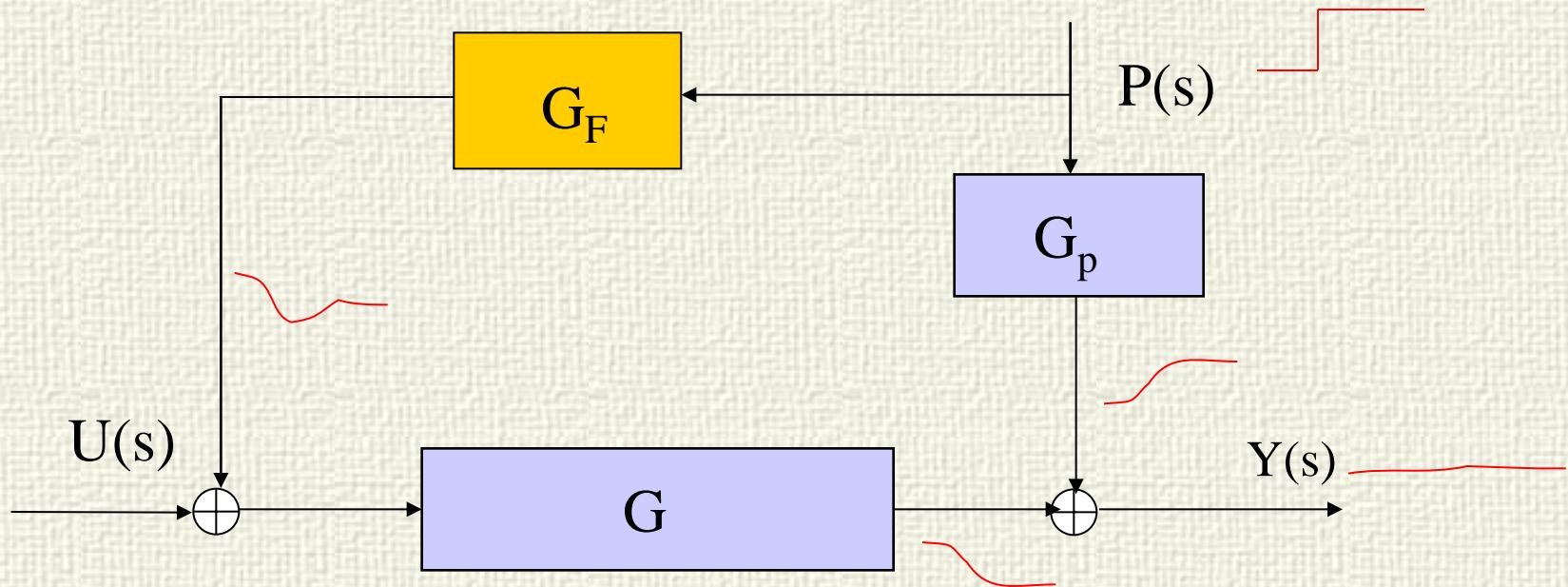
# Feedforward



Changes in flow  $q$ :

Feedforward compensator will modify the signal to the valve according to the flow changes as soon as they appear

# Feedforward



The compensator will implement a change on  $Y(s)$  through  $G_F$  and  $G$ , equal in magnitude and of opposite sign to the one produced by the disturbance  $P(s)$  through  $G_p$ , in order to compensate it

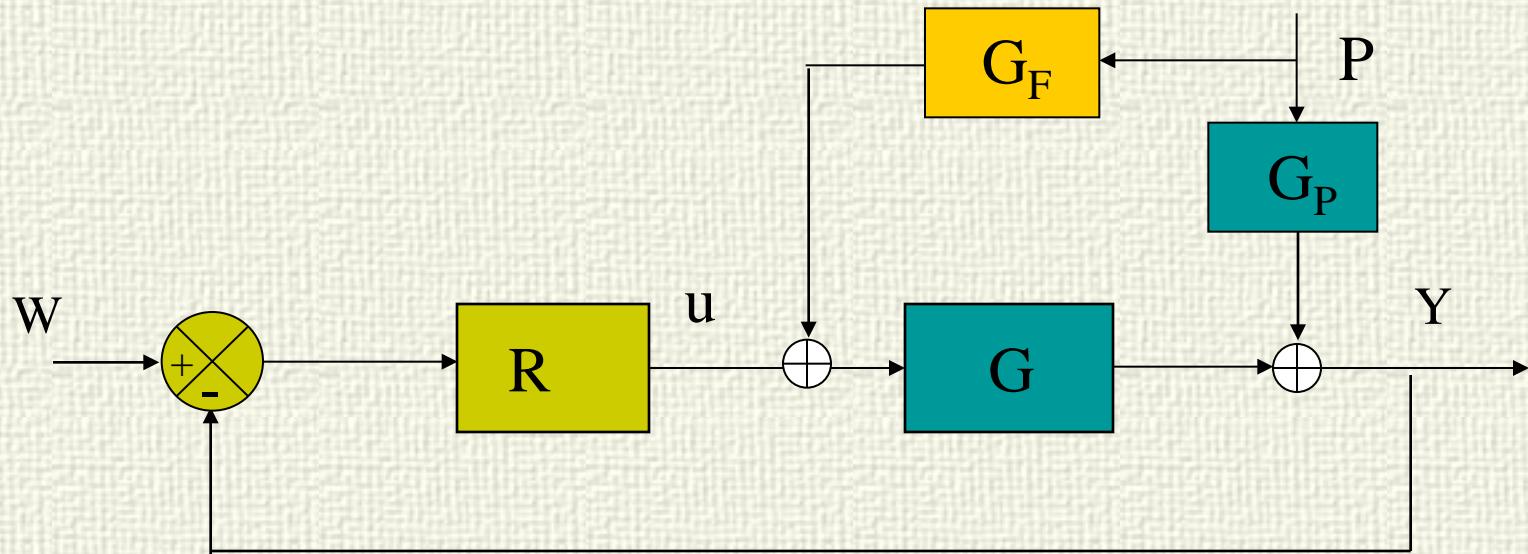


# Feedforward

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- ✓ Measurable disturbances that cannot be controlled directly
- ✓ Additional instrumentation and computation is needed
- ✓  $G_P$  should be slower than  $G$
- ✓ It is an open loop compensation. It must be used in addition to closed loop control

# Block Diagram

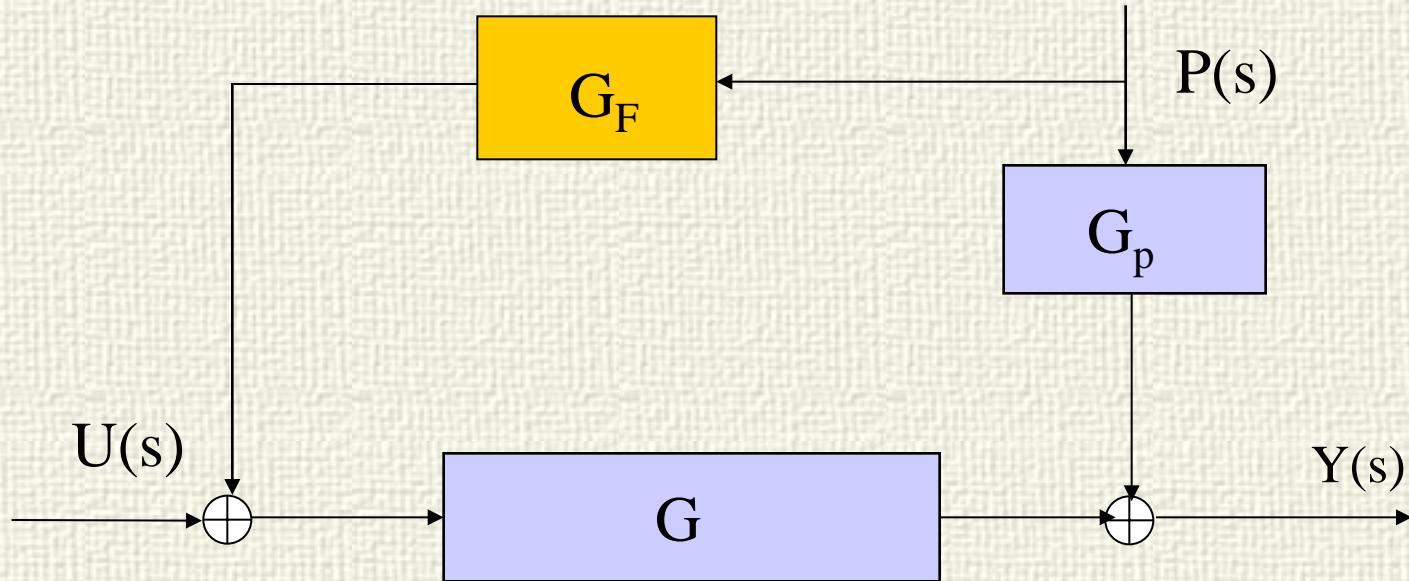


Closed loop dynamics does not change

$$\begin{aligned}
 Y(s) &= G(s)[U(s) + G_F(s)P(s)] + G_P(s)P(s) = \\
 &= G(s)R(s)[W(s) - Y(s)] + [G(s)G_F(s) + G_P(s)]P(s)
 \end{aligned}$$

$$Y(s) = \frac{G(s)R(s)}{1 + G(s)R(s)} W(s) + \frac{G(s)G_F(s) + G_P(s)}{1 + G(s)R(s)} P(s)$$

# How to compute $G_F$ ?



$$\begin{aligned}
 Y(s) &= G(s)[U(s) + G_F(s)P(s)] + G_P(s)P(s) = \\
 &= G(s)U(s) + [G(s)G_F(s) + G_P(s)]P(s) \\
 0 &= G(s)G_F(s) + G_P(s)
 \end{aligned}$$

$$G_F = -\frac{G_P(s)}{G(s)}$$



# Practical $G_F$

$$G_F = -\frac{G_P(s)}{G(s)}$$

Realizability not assured

Can be high order

Linear approach: range of validity (  $G_P$  and  $G$ )

Practical  $G_F$  :

$$G_F = -\frac{K_F(bs + 1)}{(as + 1)}$$

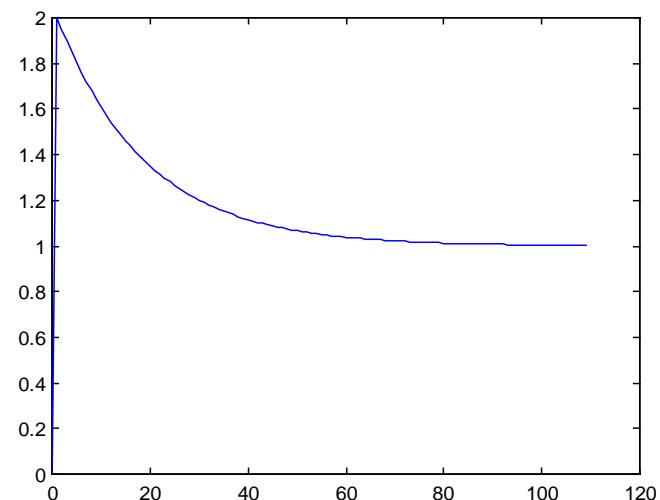
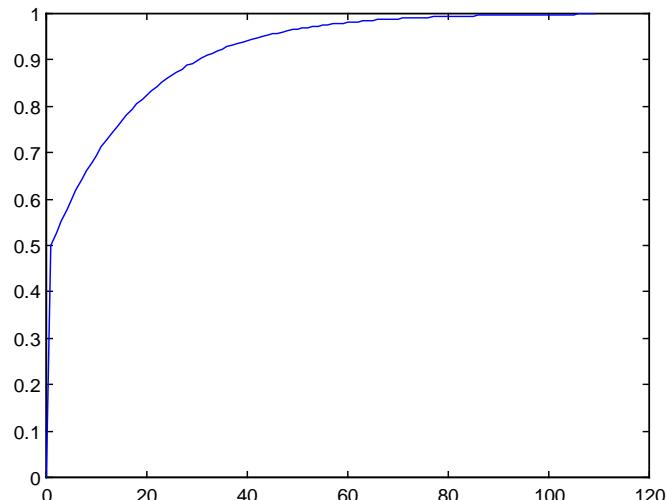
$$K_F = \frac{K_P}{K}$$

# Lead/Lag

$b < a$

$$G_F = -\frac{K_F(bs+1)}{(as+1)}$$

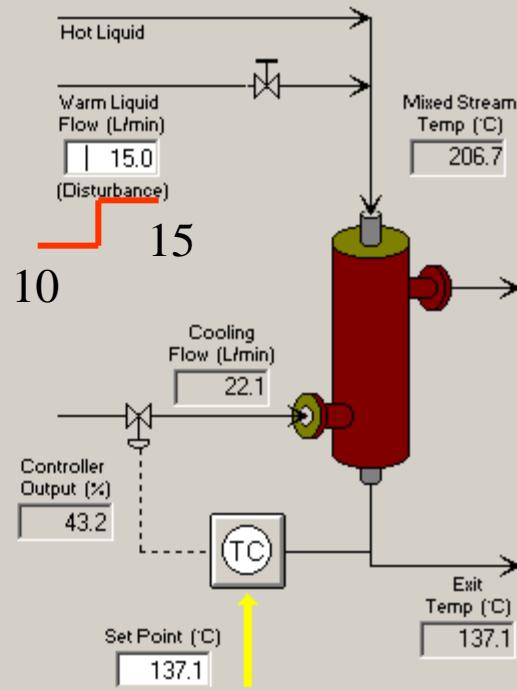
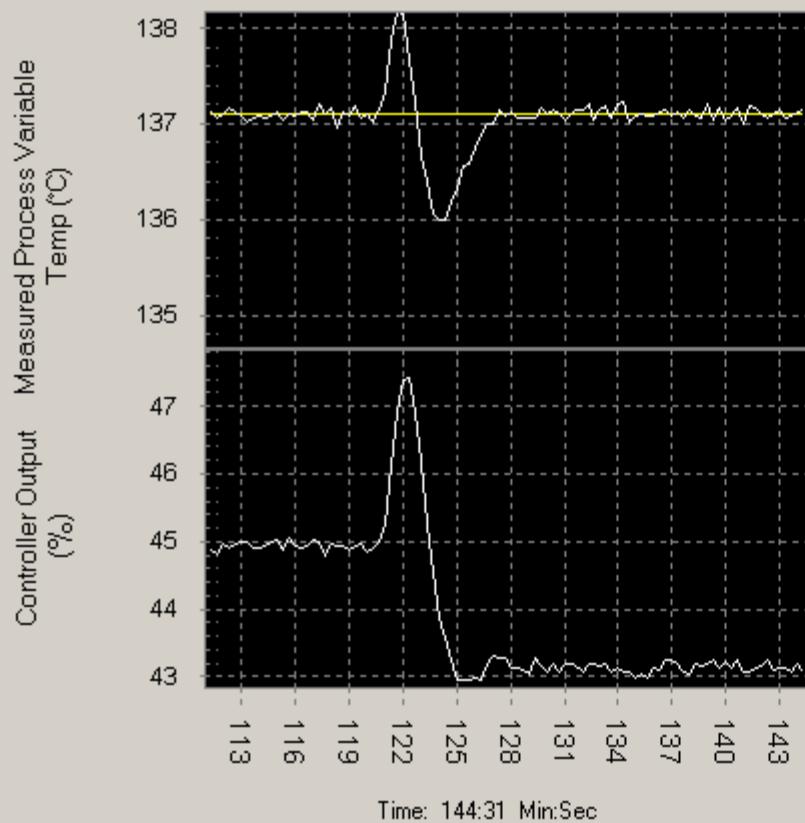
$b > a$





# Heat exchanger- disturbance

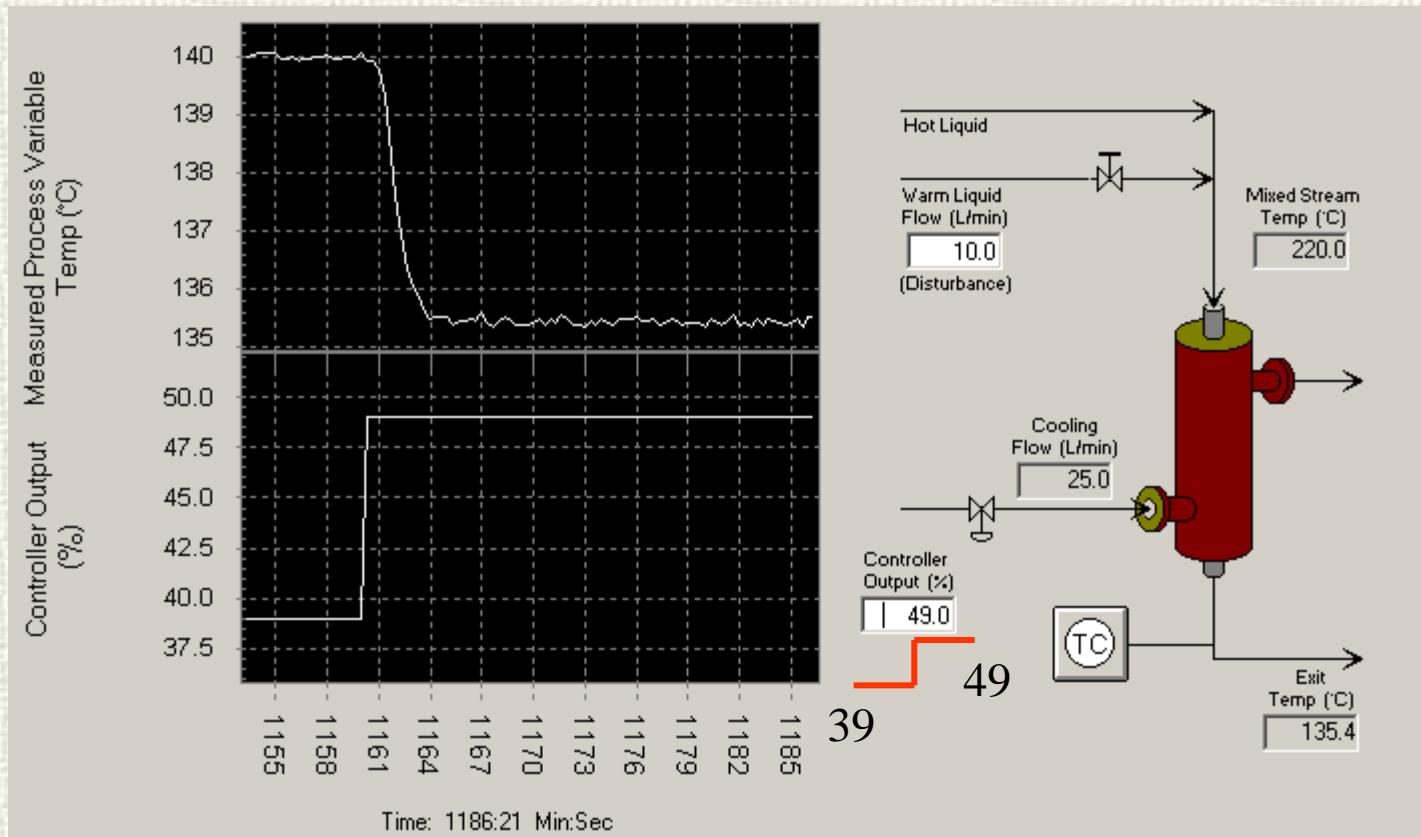
Model Parameters		Standard PID		Conservative PID		DMC Tuning	
Process Gain, K	-0.4605						
Overall Time Constant, $\tau$	0.9582						
Dead Time, $\theta$	0.8781						
Sum of Squared Error (SSE)	1.19						
Goodness of Fit ( $R^2$ )	0.9977						
		Using IMC (Lambda) Correlations	K <sub>c</sub>	$\tau_1$	$\tau_D$	$\alpha$	
		P-Only	-0.488				
		PI	-1.32	0.958			
		PID Ideal (Non-interacting)	-2.66	1.40	0.301		
		PID Interacting	-1.82	0.958	0.439		
		PID Ideal with Filter	-1.92	1.40	0.301	0.648	
		PID Interacting with Filter	-1.32	0.958	0.439	0.444	



2 °C  
7 min.

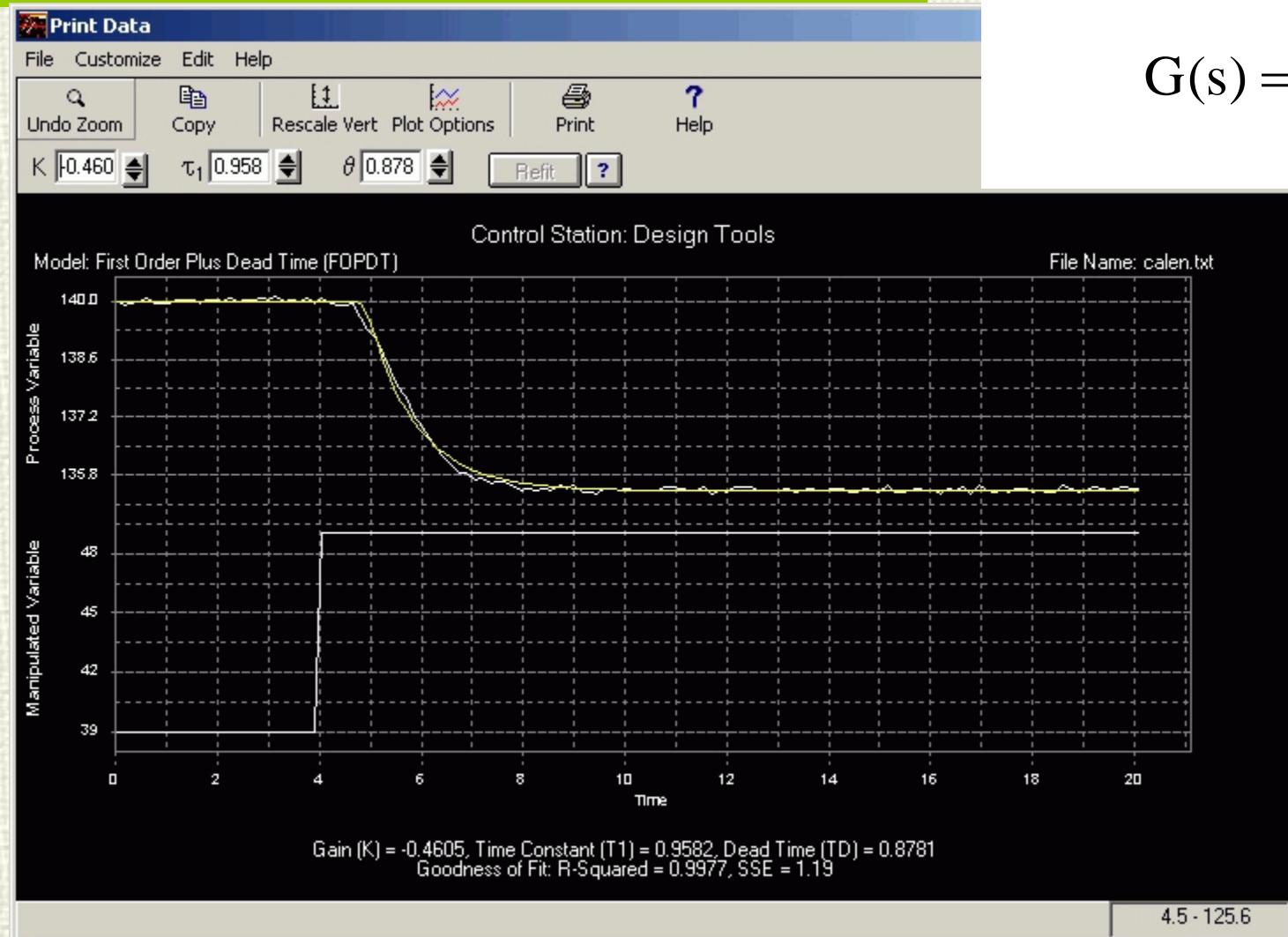
# Model Temp - u

Open loop test





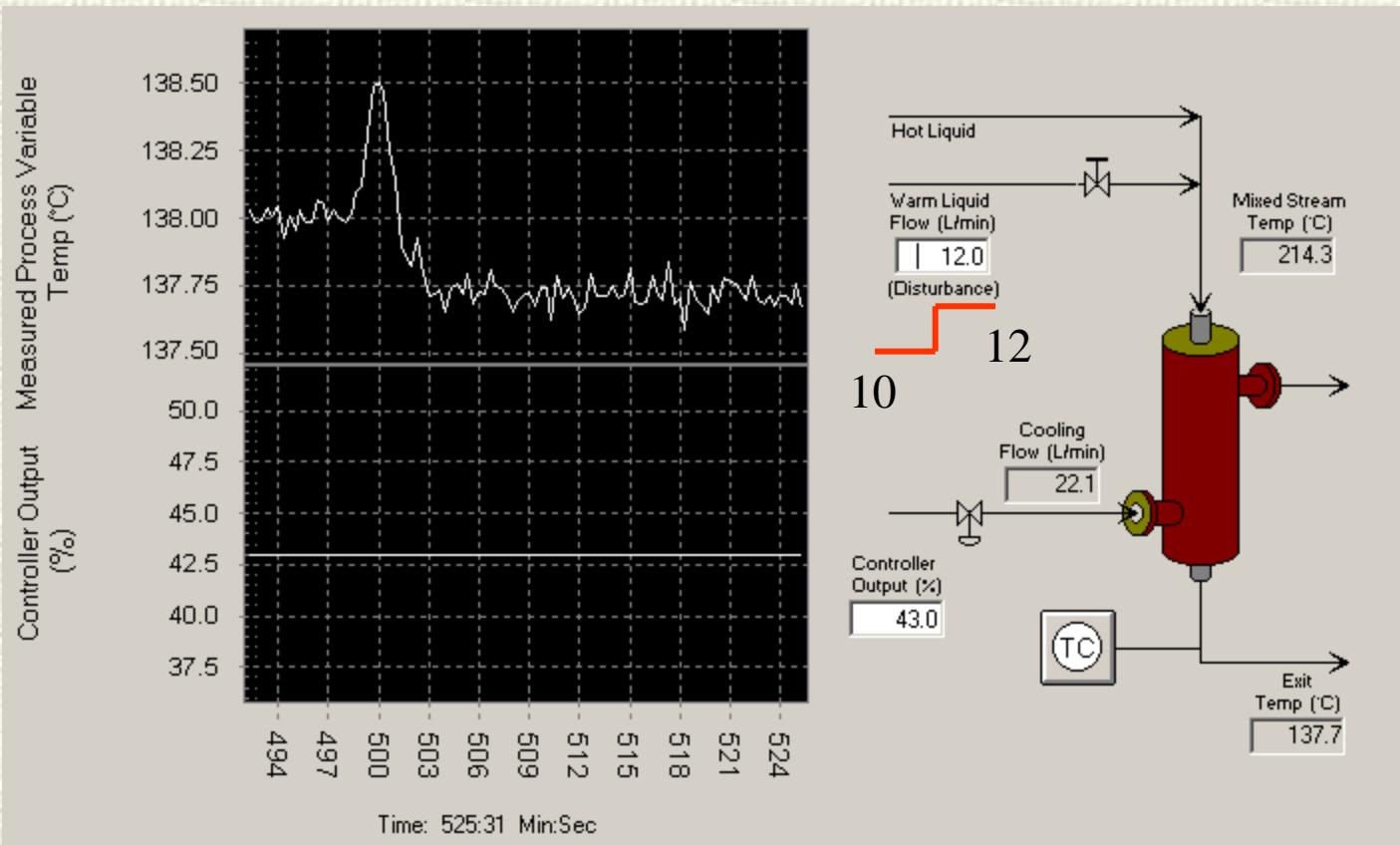
# Model Temp - u



$$G(s) = \frac{ke^{-sd}}{(\tau s + 1)}$$
$$= \frac{-0.46e^{-0.87s}}{0.96s + 1}$$

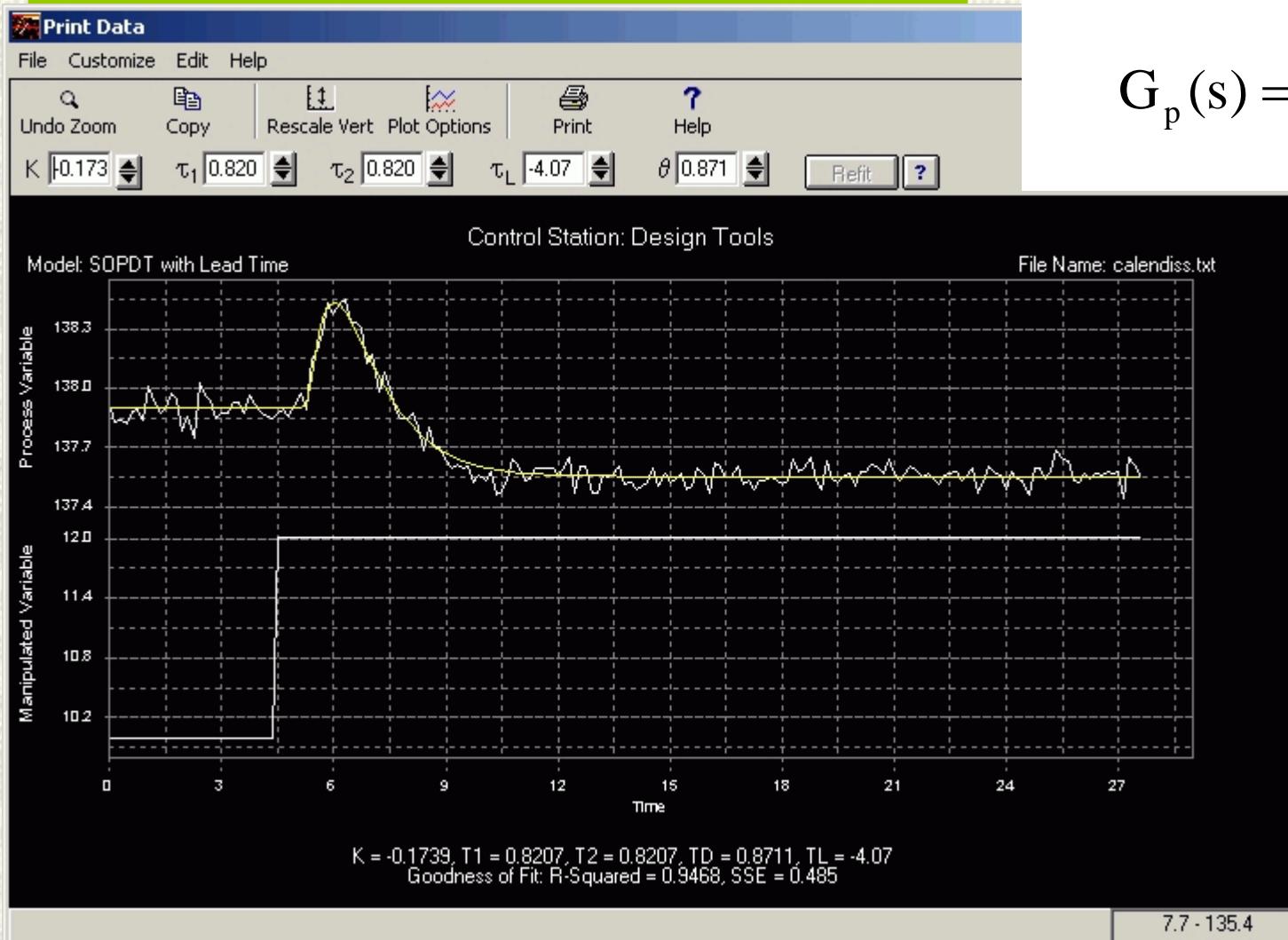
# Model temp-warm flow

Open loop test





# Model Temp- warm flow



$$G_p(s) = \frac{k(\tau_L s + 1)e^{-sd}}{(\tau_1 s + 1)(\tau_2 s + 1)}$$

$$-0.17(-4.07s + 1)e^{-0.87s} \\ (0.82s + 1)^2$$



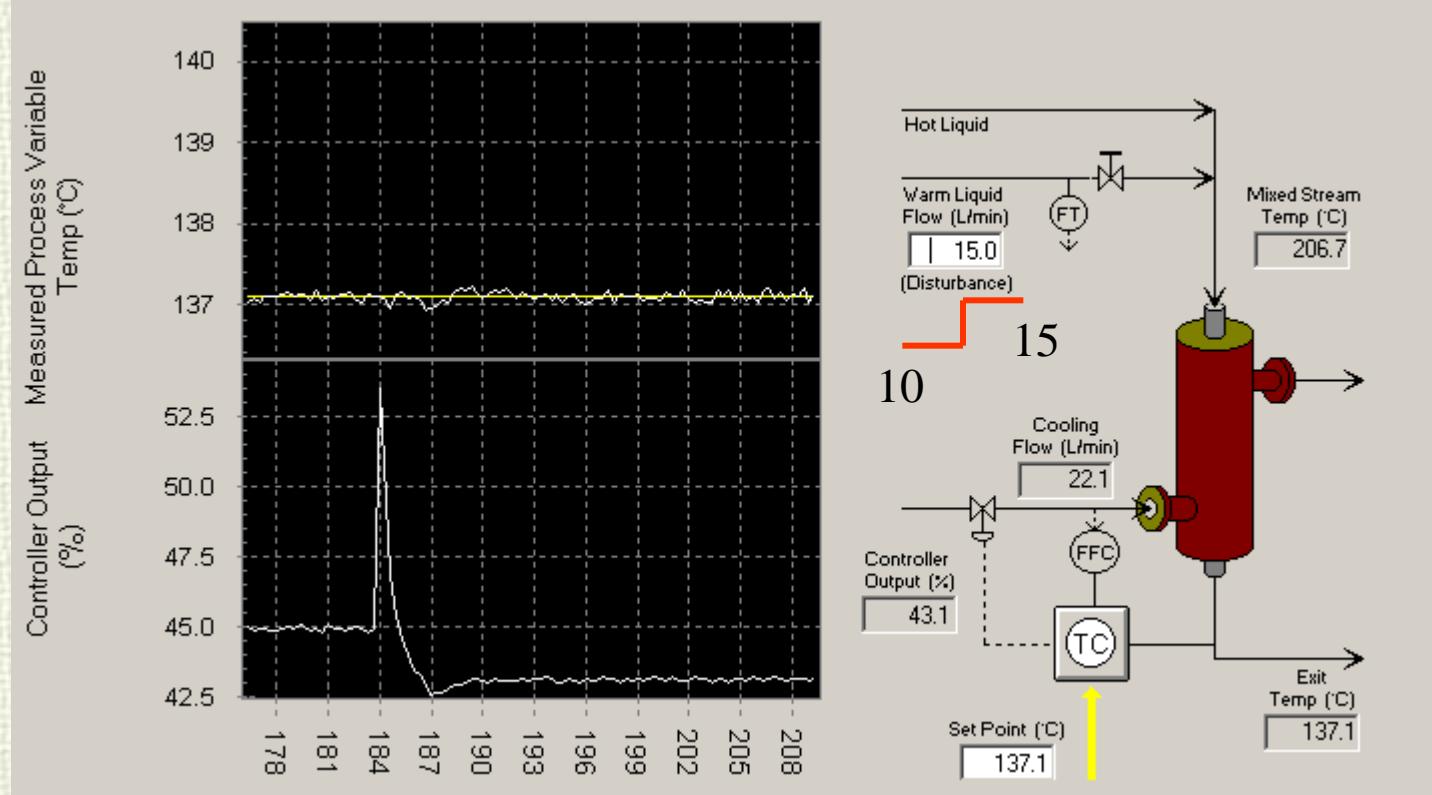
# Heat exchanger Feedforward compensator



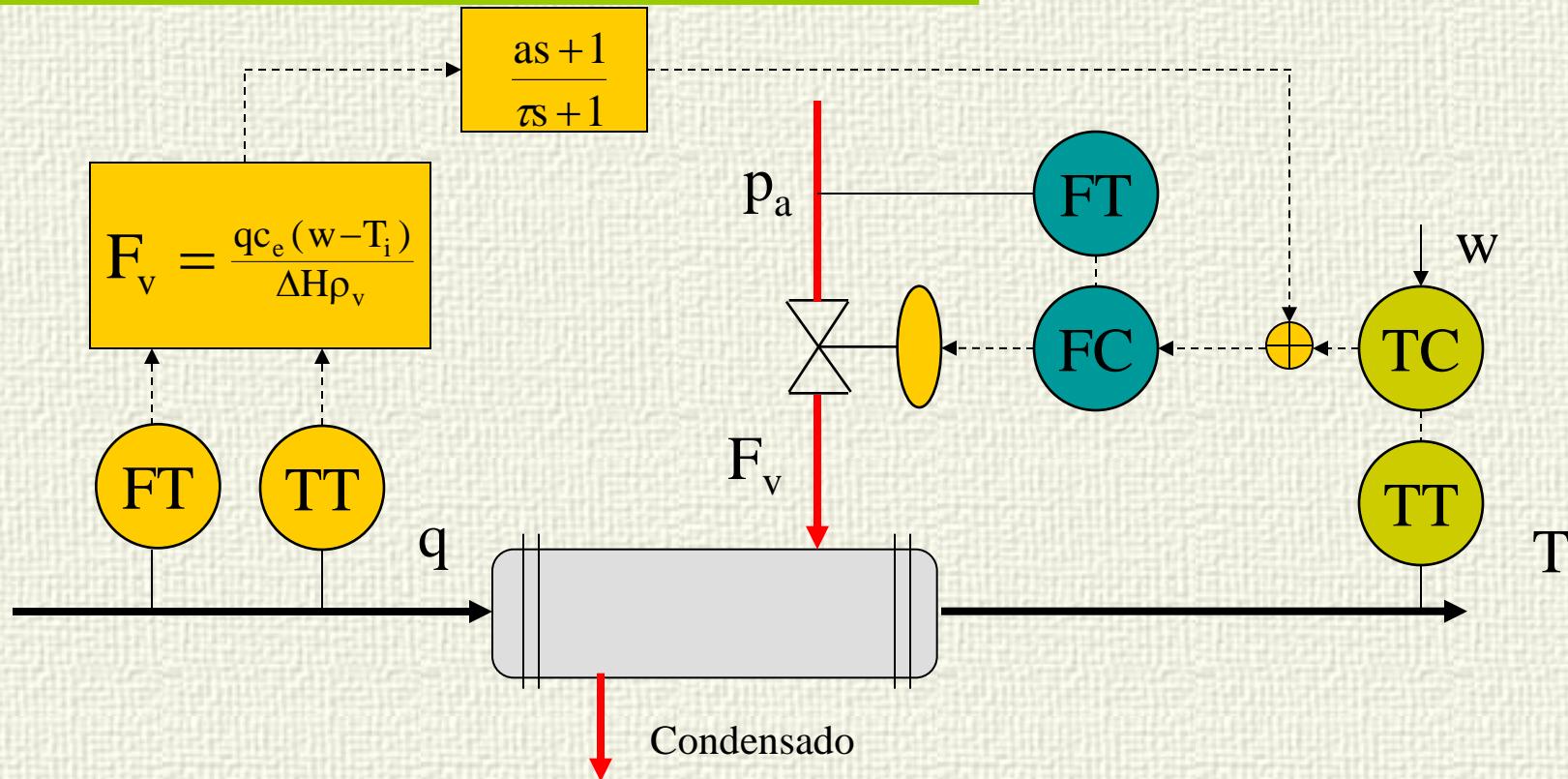
Model Parameters		Model Parameters		ID	DMC Tuning		
				$\tau_1$	$\tau_0$	$\alpha$	
Process Gain, K	-0.4605	Process Gain, K	-0.1739				
Overall Time Constant, $\tau$	0.9582	First Time Constant, $\tau_1$	0.8207				
Dead Time, $\theta$	0.8781	Second Time Constant, $\tau_2$	0.8207				
Sum of Squared Error (SSE)	1.19	Lead Time, $\tau_L$	-4.07		0.958		
Goodness of Fit ( $R^2$ )	0.9977	Dead Time, $\theta$	0.8711		1.40	0.301	
		Sum of Squared Error (SSE)	0.485		0.958	0.439	
		Goodness of Fit ( $R^2$ )	0.9468		1.40	0.301	0.648
					0.958	0.439	0.444
							1.7025

$$G_F = -\frac{G_P(s)}{G(s)} = \frac{-0.17(-4s+1)e^{-0.87s}}{(0.82s+1)^2} = \frac{0.34(0.96s+1)(-4s+1)}{(0.82s+1)^2}$$

# Heat exchanger with feedforward

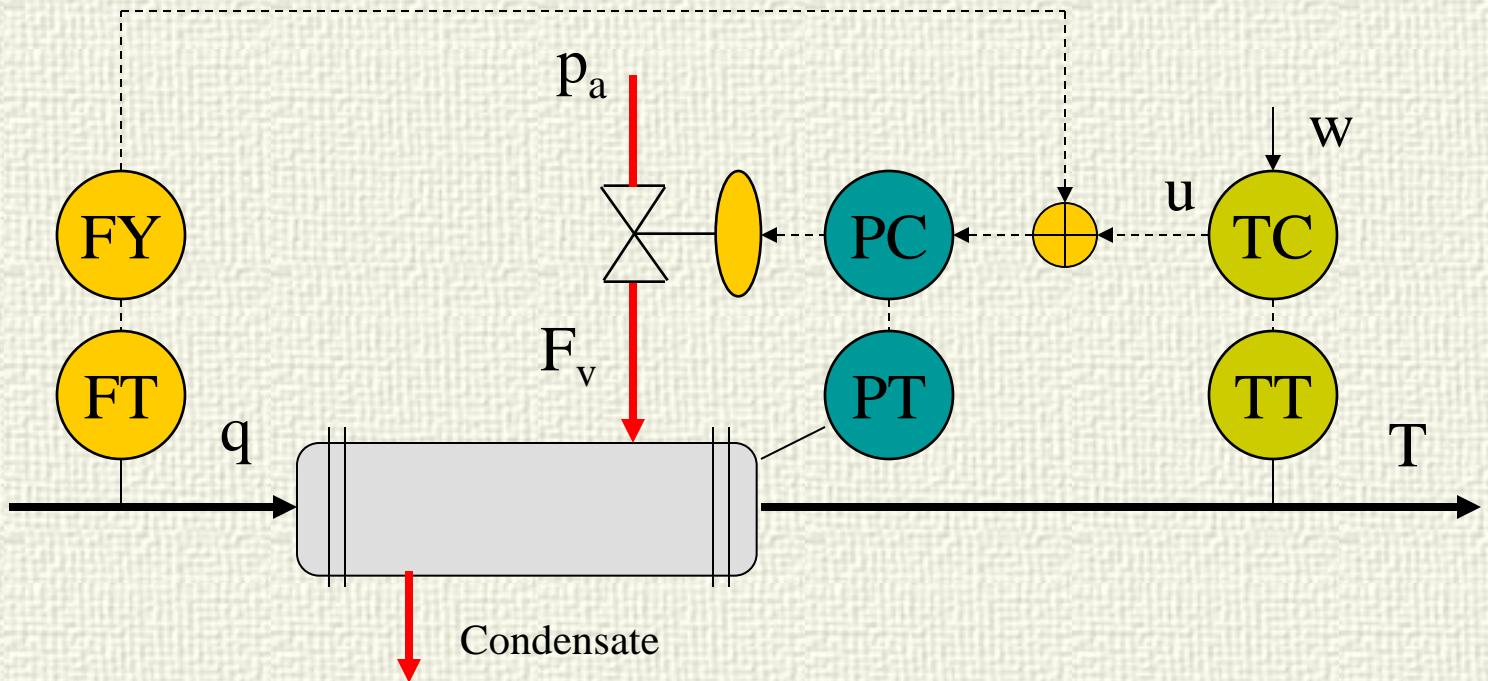


# Static Compensator / model

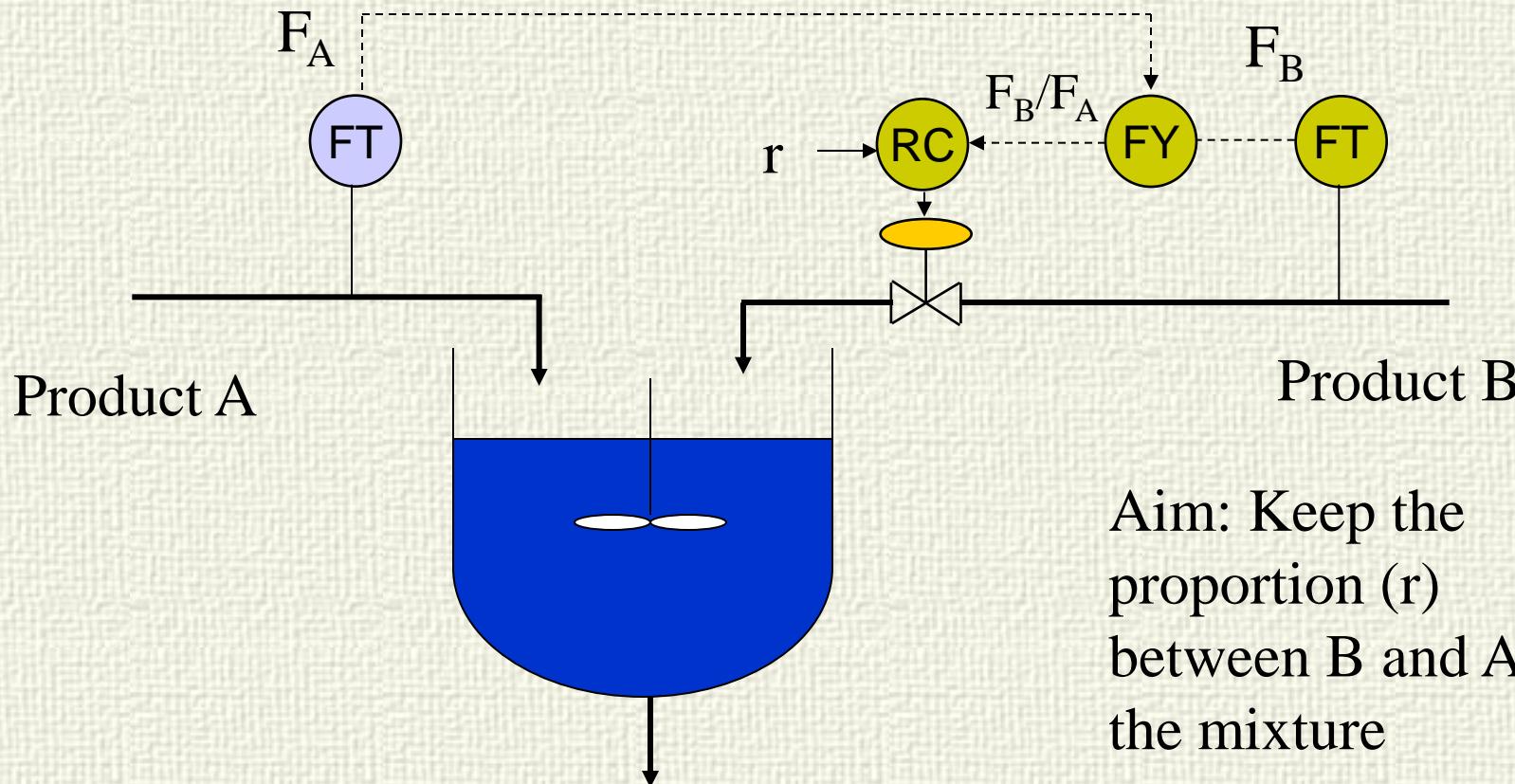


Process dynamics must be included  
Static model provides  $K_F$

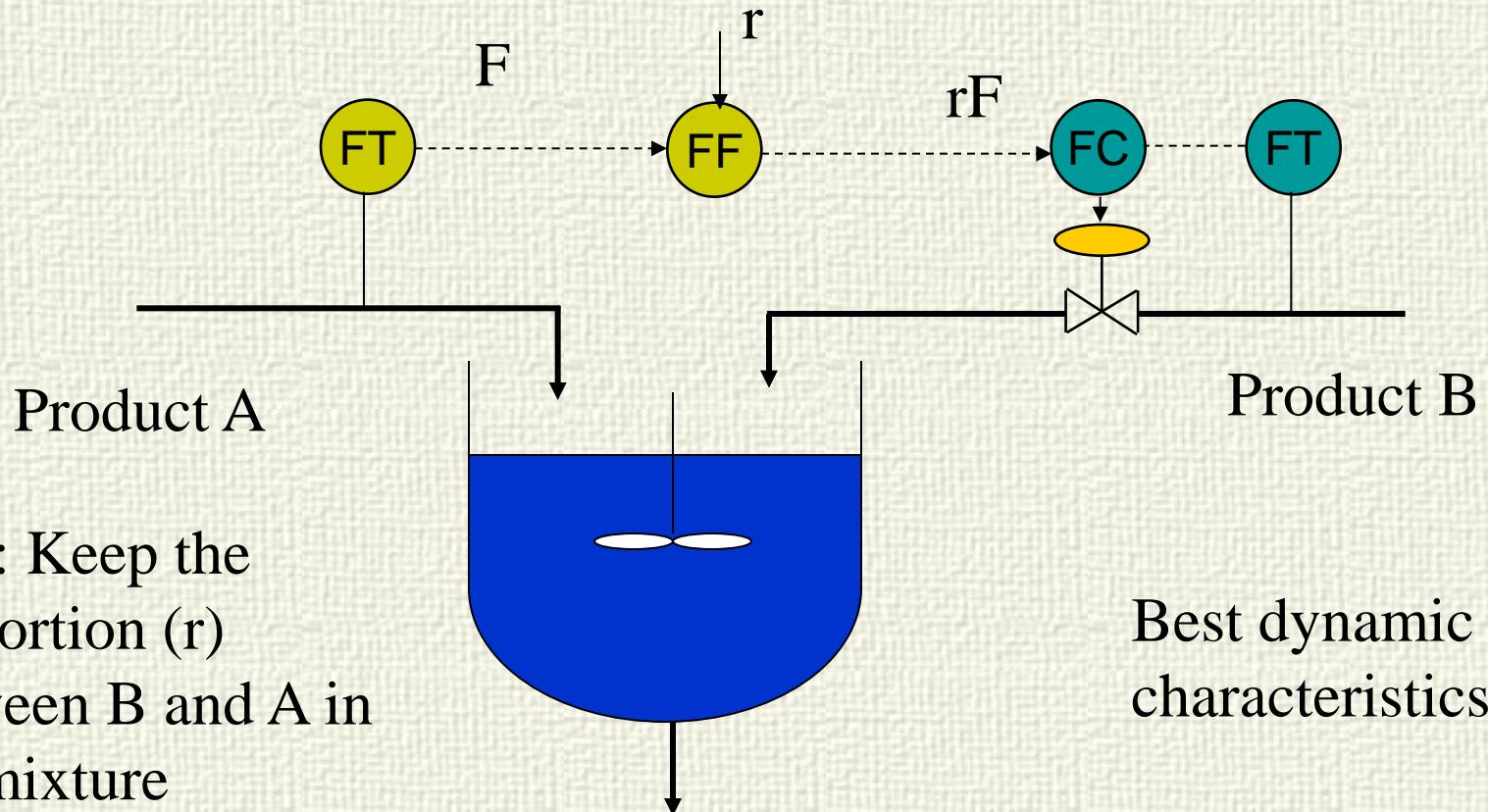
# Cascade+Feedforward



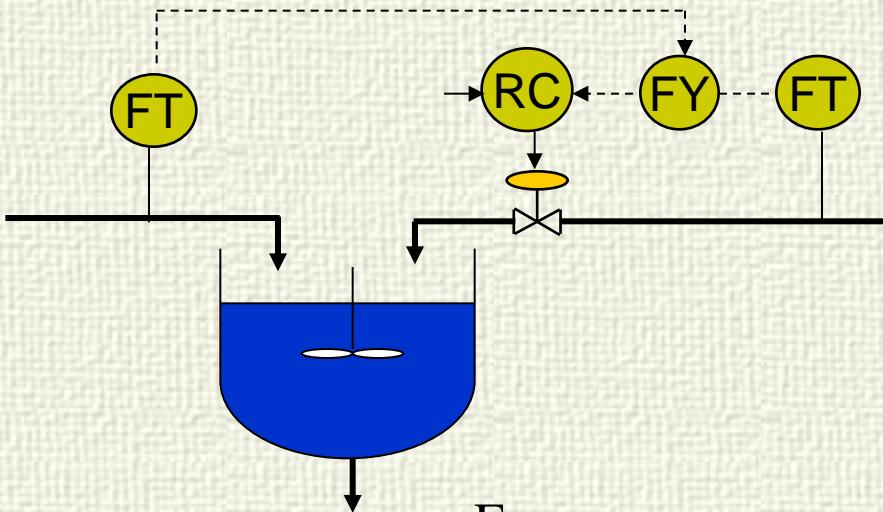
# Control of proportions



# Ratio Control



# Ratio Control

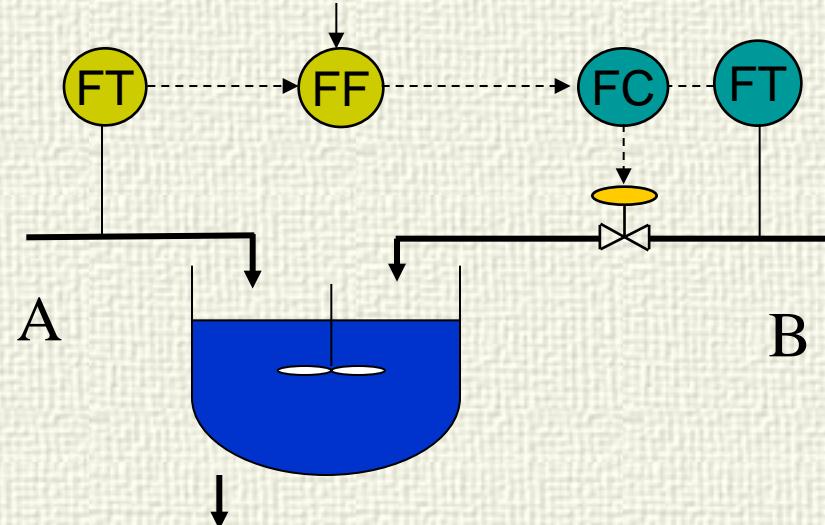


$$r = \frac{F_B}{F_A}$$

$$\frac{\partial r}{\partial F_A} = -\frac{F_B}{F_A^2}$$

$$\frac{\partial r}{\partial F_B} = \frac{1}{F_A}$$

Gain changes



Controlled Variable

$$F_B = rF_A$$

Gain disturbance

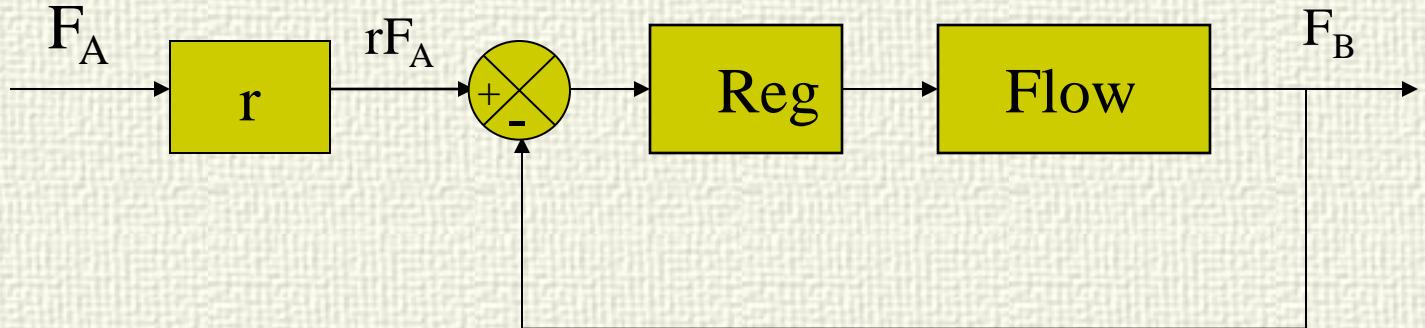
$$\frac{\partial F_B}{\partial F_A} = r$$

Gain Manipulated Var.

$$\frac{\partial F_B}{\partial F_B} = 1$$

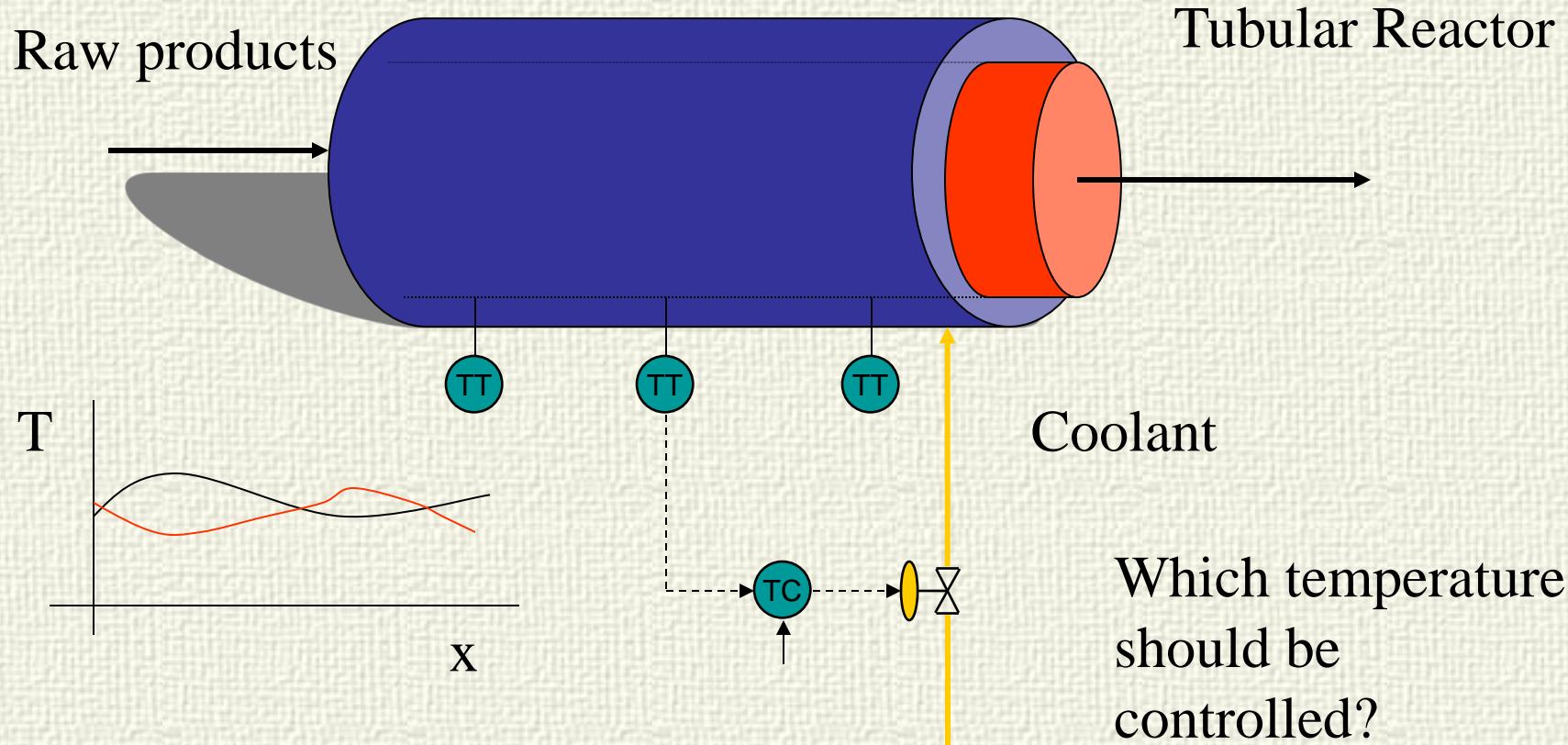
Gain is cte

# Block Diagram

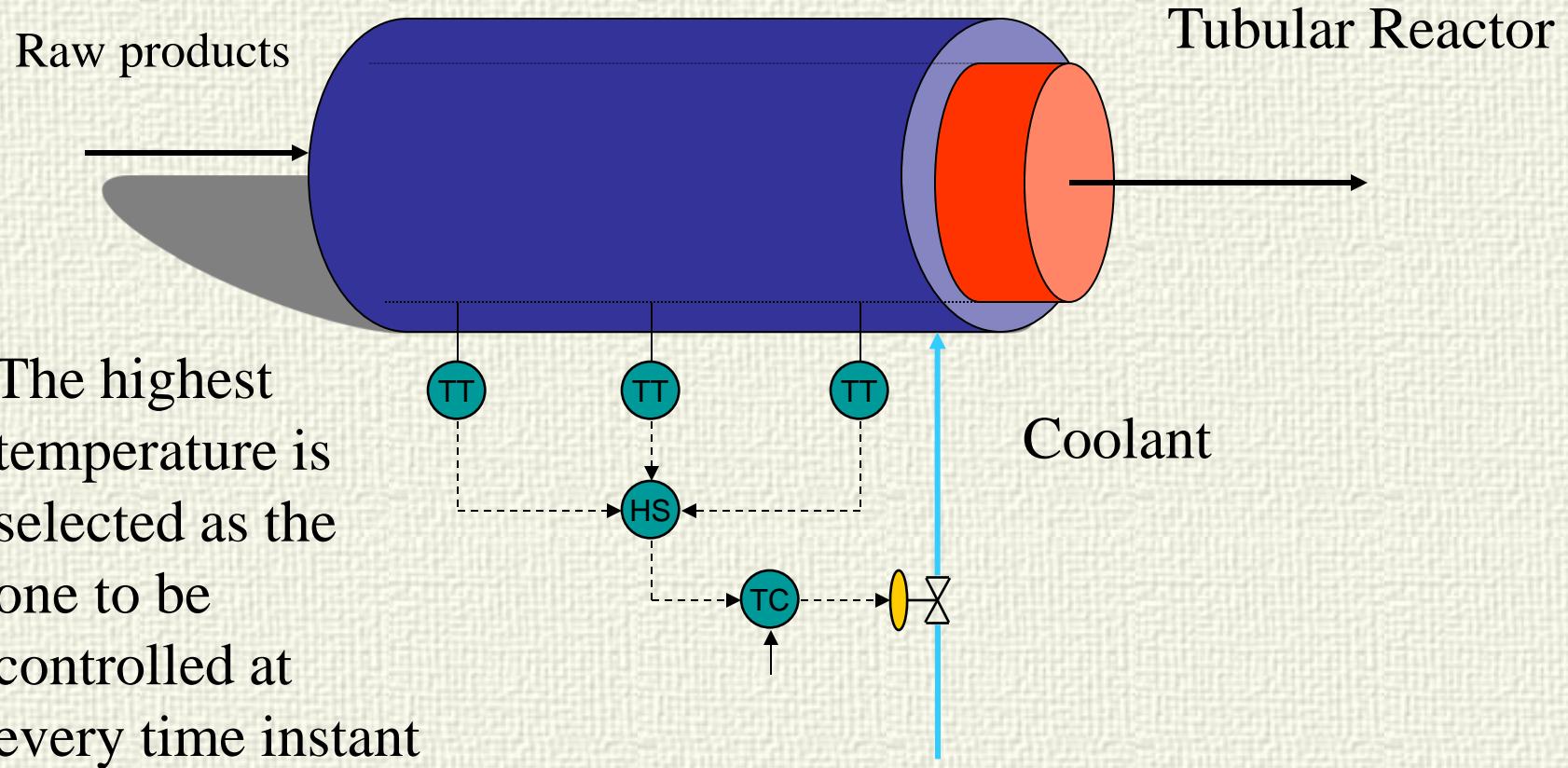


The set point of flow  $F_B$  is adjusted continuously as a function of the measured flow  $F_A$

# Selective Control

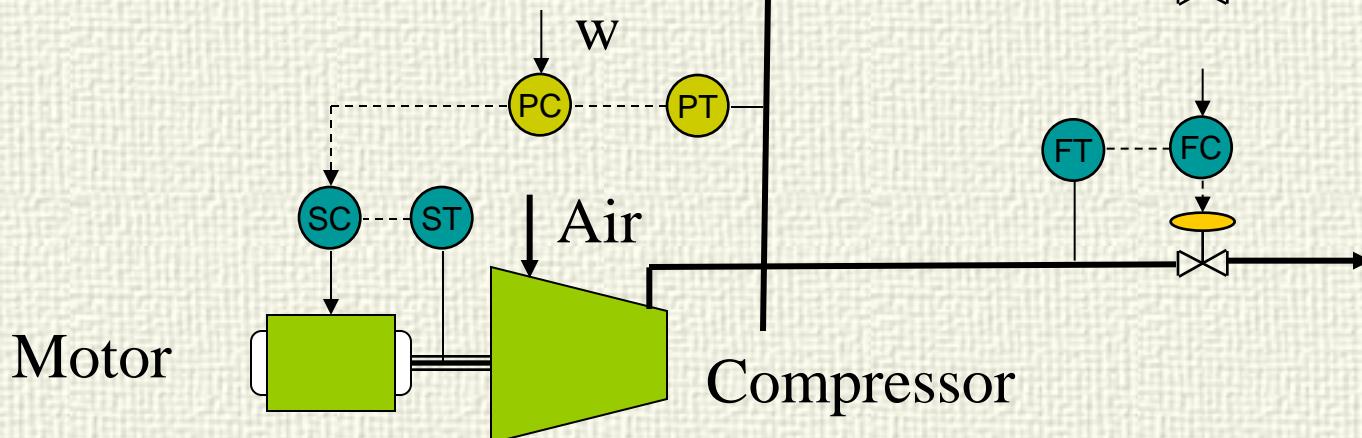


# Selective Control



# Selective Control

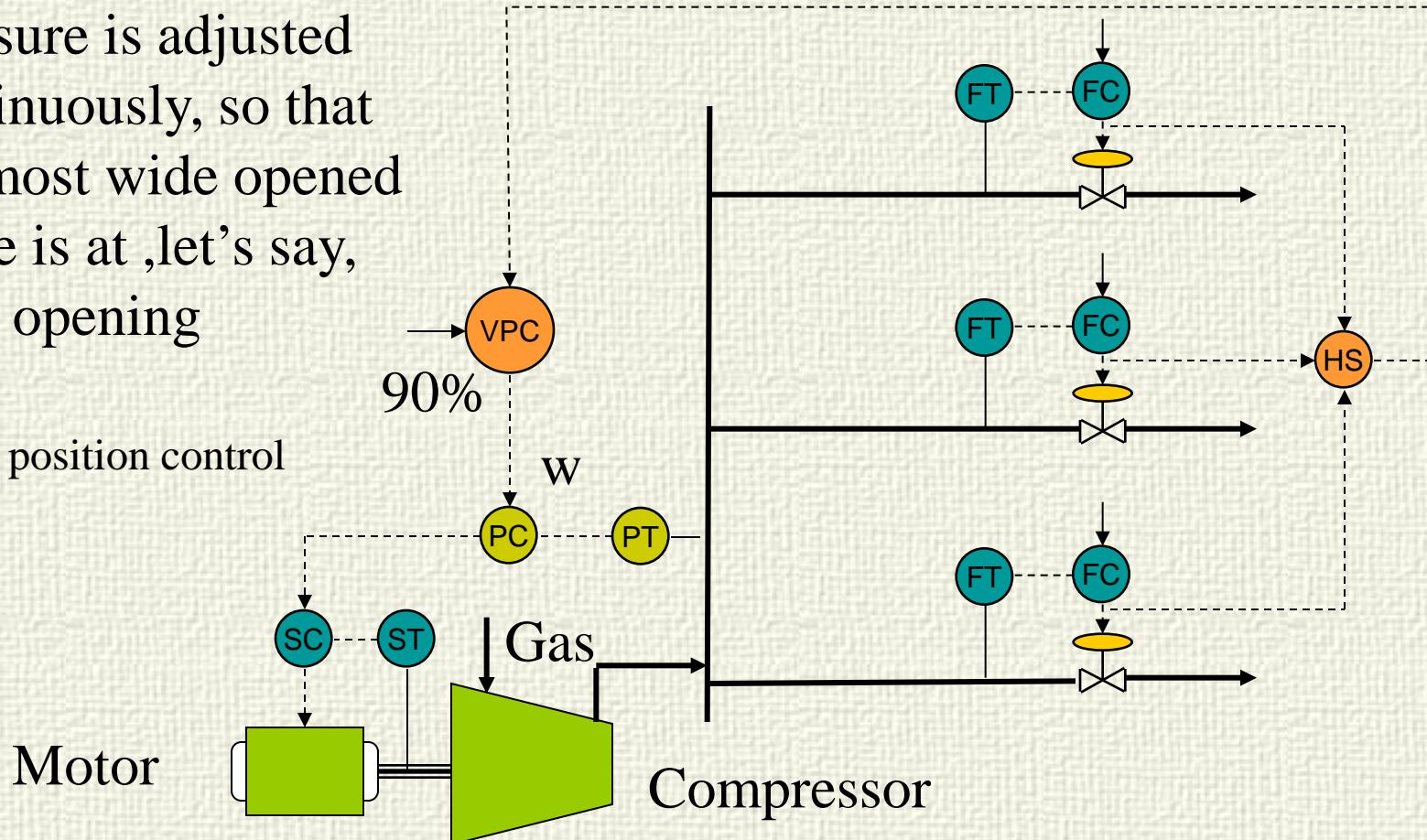
As the demand of every user changes with time,  $w$  is selected in order to cope with the highest one. This is not the best policy



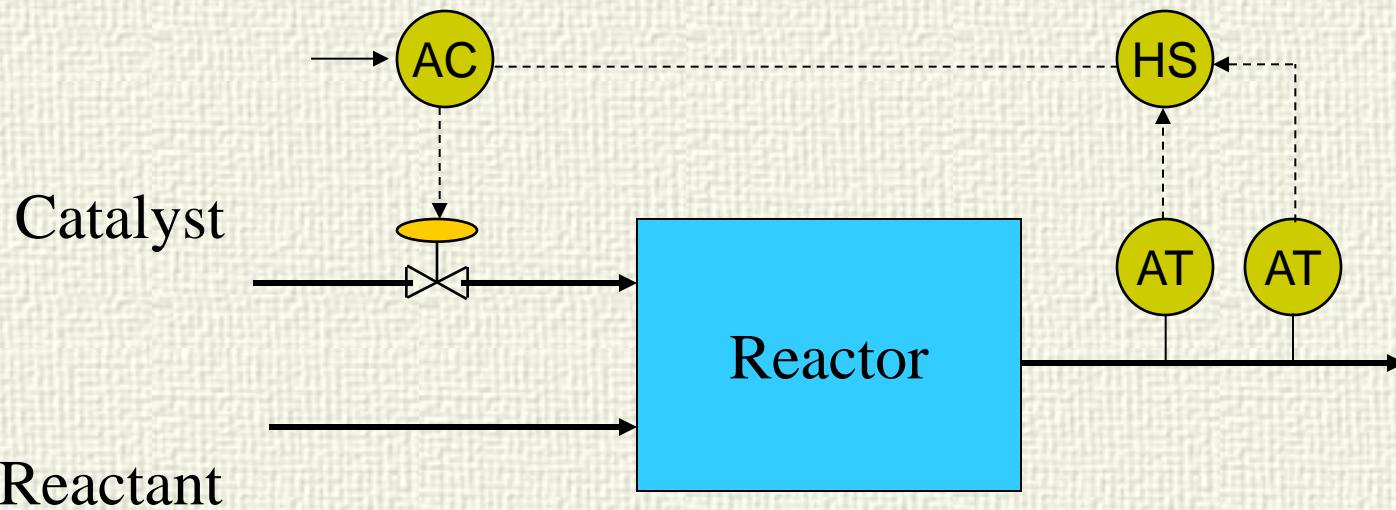
# Selective Control / VPC

Pressure is adjusted continuously, so that the most wide opened valve is at ,let's say, 90% opening

VPC:  
Valve position control

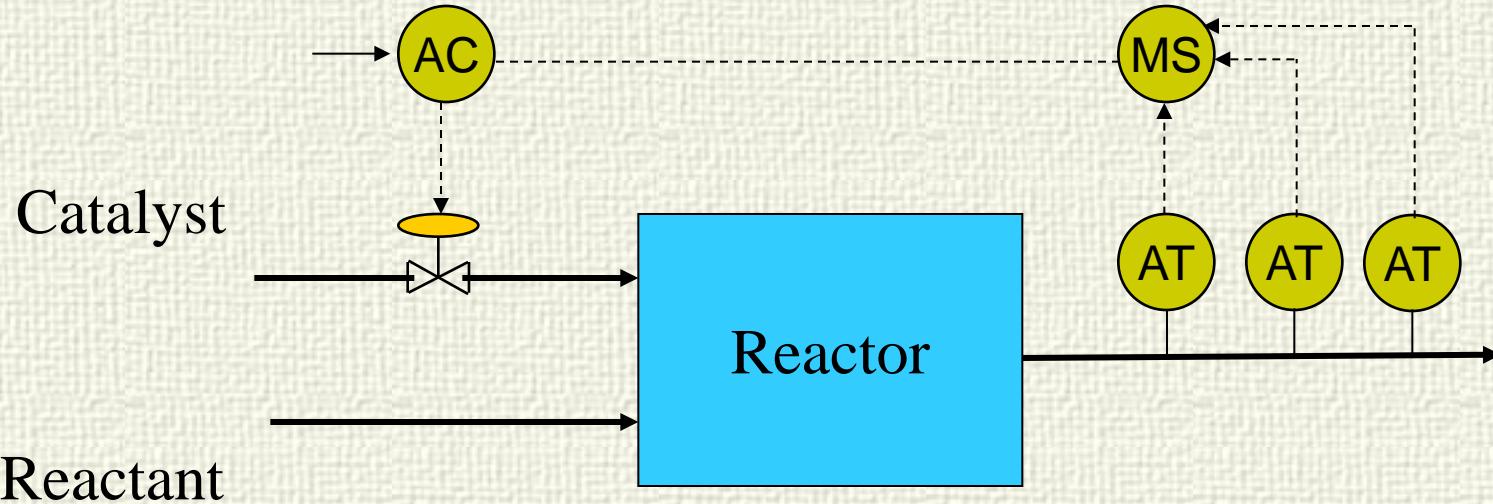


# Selective Control / Safety

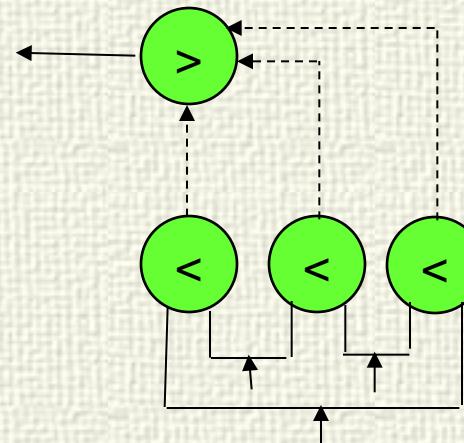


If a transmitter fails (signal to zero) the selector maintains the reading of the correct one. (but if the failure is signal to 100%, the controller stops the plant)

# Selective Control / Safety

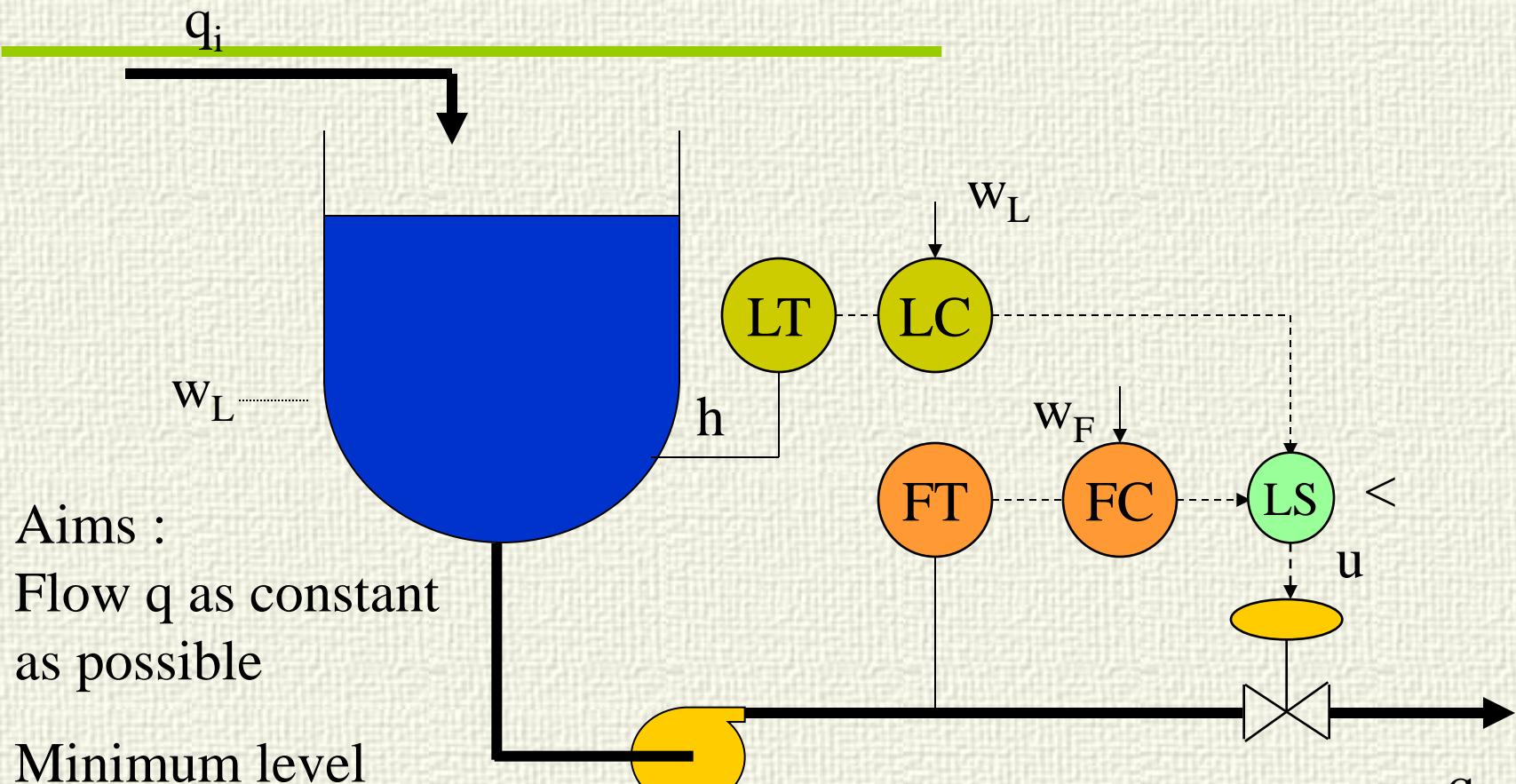


Another option is a two against one policy or a intermedium value selector



Selects  
the signal  
in the  
middle

# Override Control



Aims :

Flow  $q$  as constant  
as possible

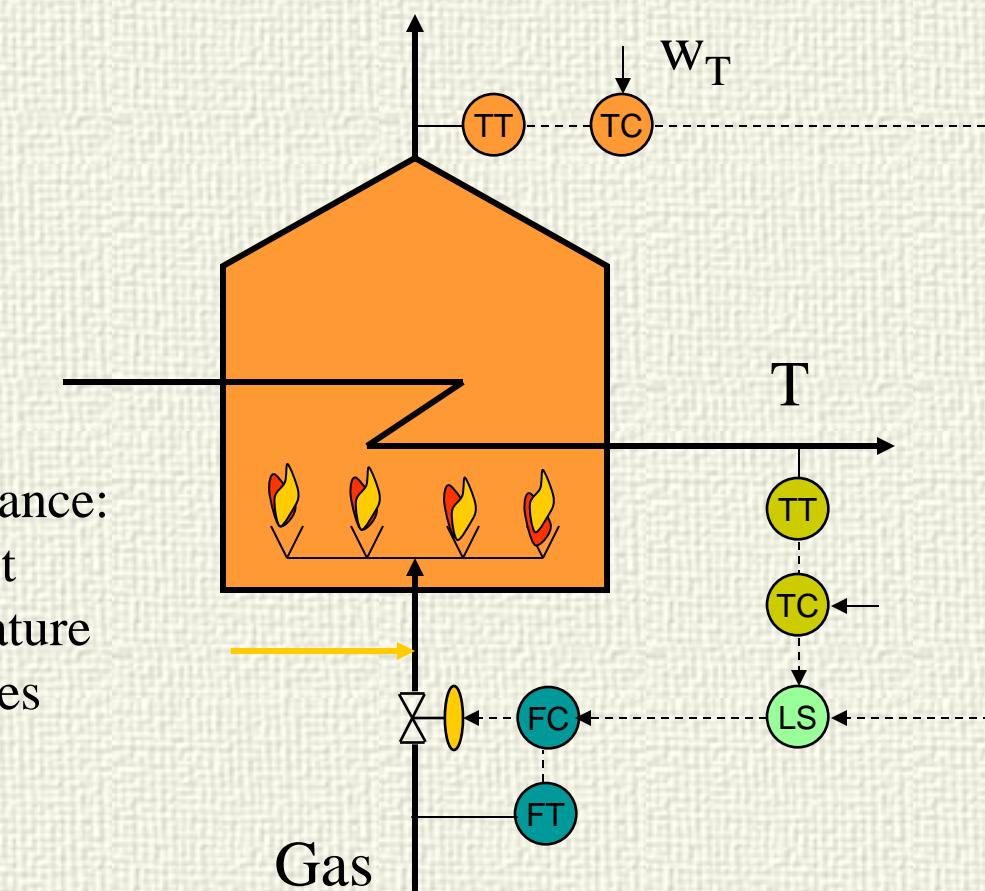
Minimum level  
above  $w_L$  (Pump  
protection)

# Override Control

Aims: Keep  $T$  as constant as possible

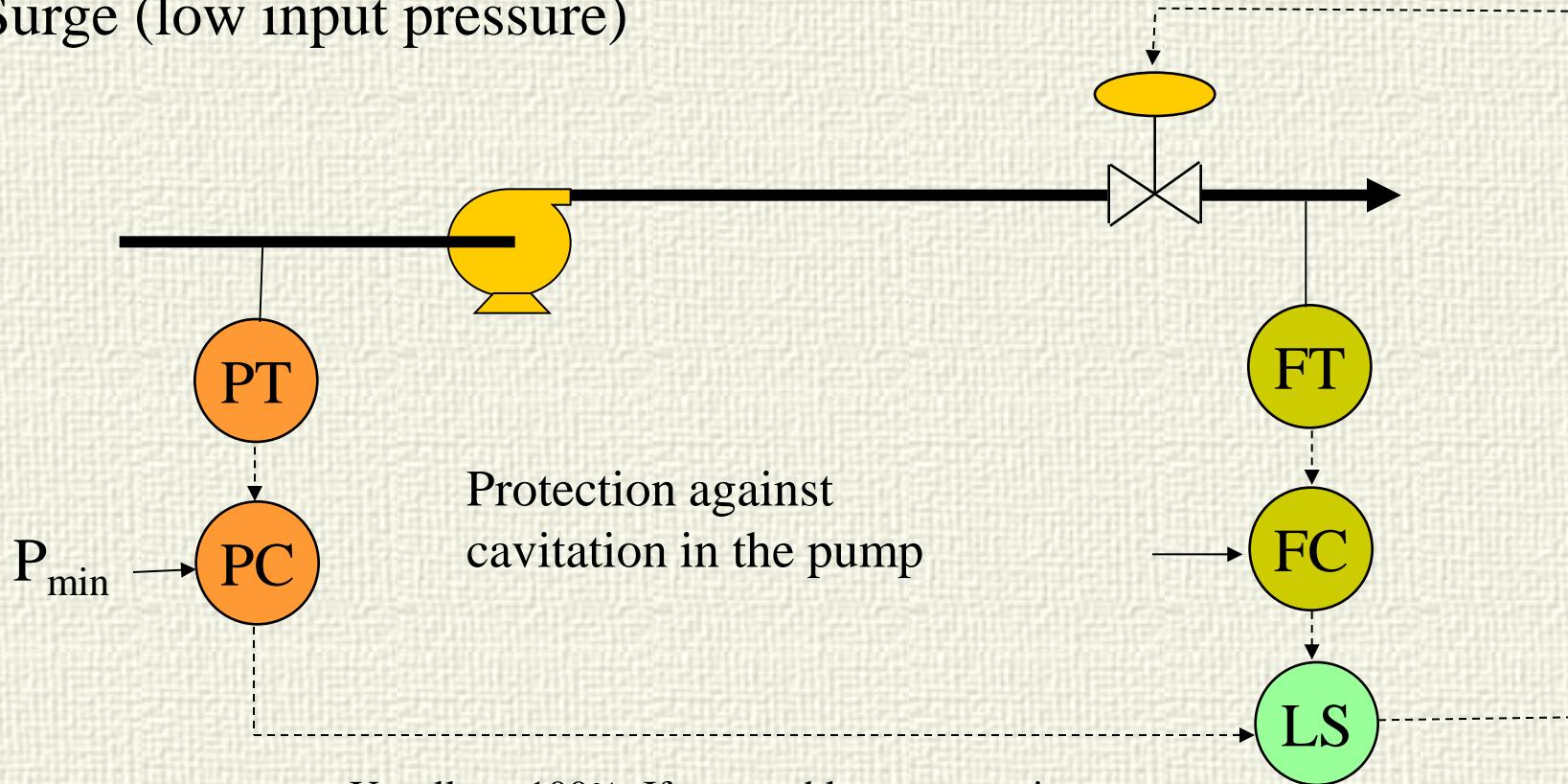
Smoke temperature  
below  $w_T$

Disturbance:  
oil input  
temperature  
decreases

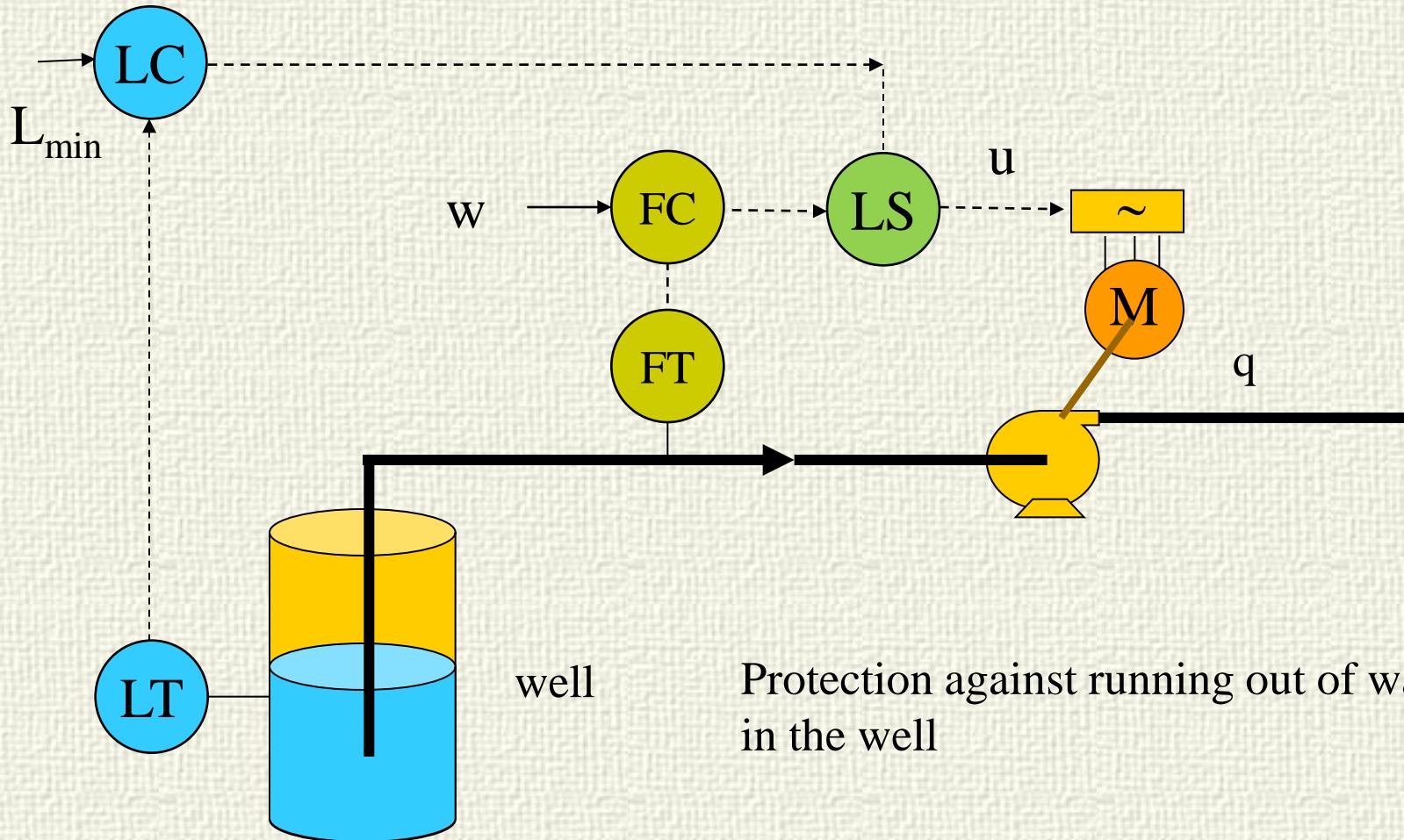


# Override Control

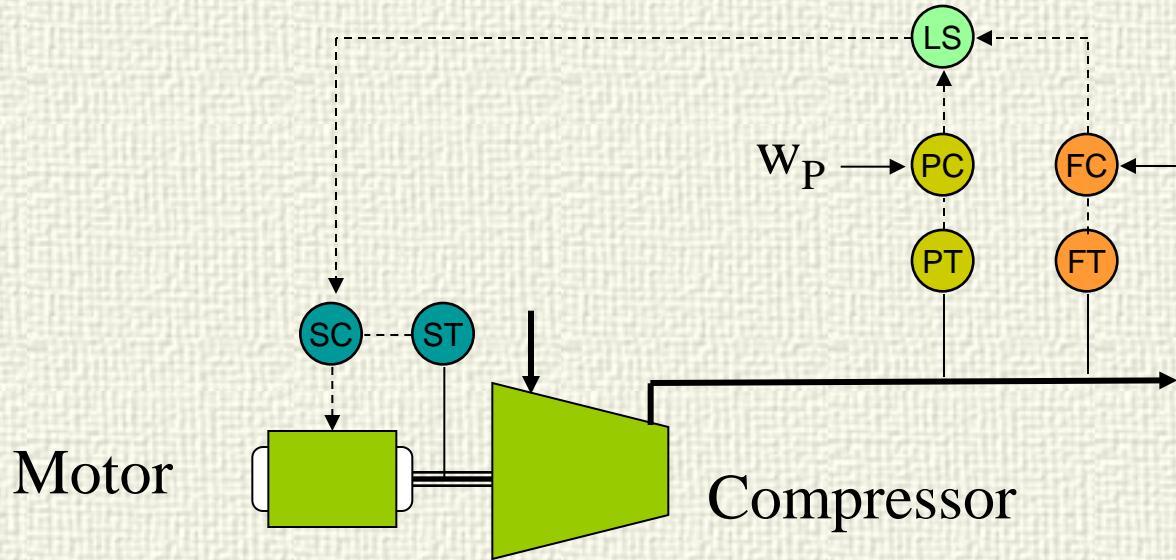
Surge (low input pressure)



# Override control



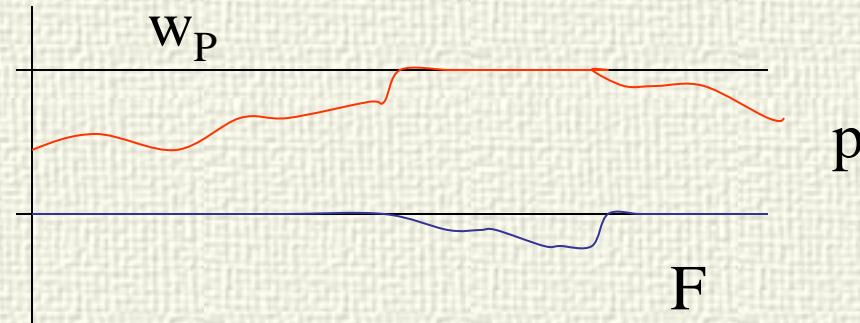
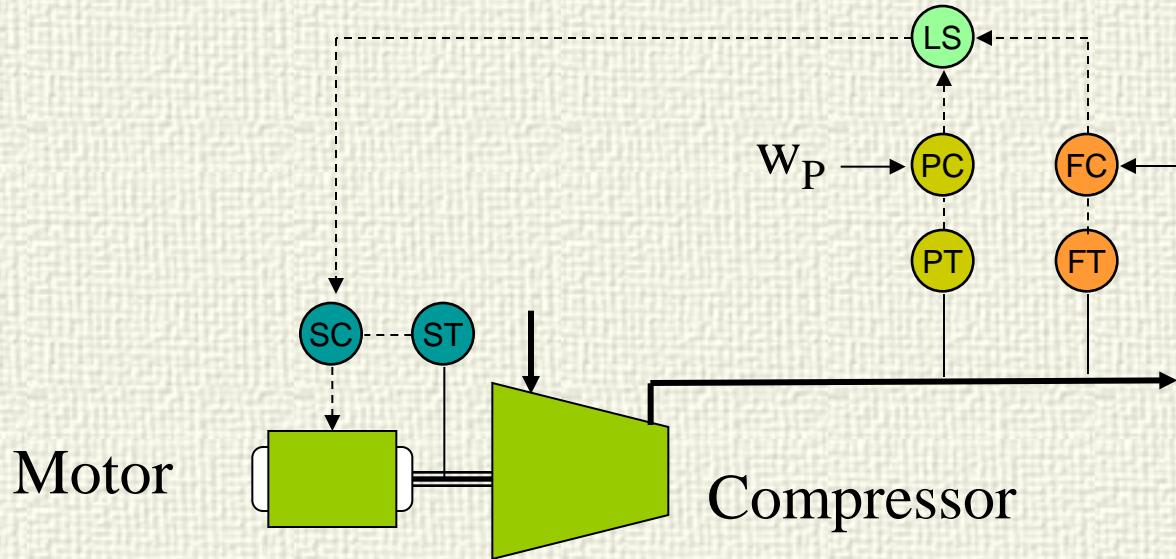
# Override Control



Aims:

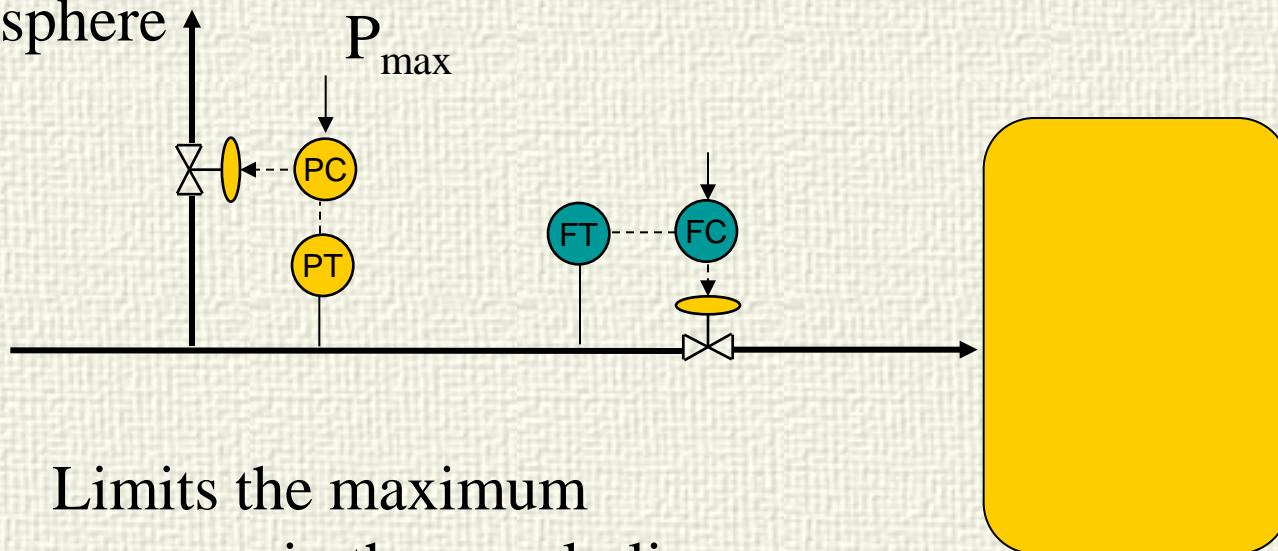
- ✓ Flow as constant as possible,
- ✓ Maximum pressure on the line below  $w_p$  in spite of changing demands

# Override Control

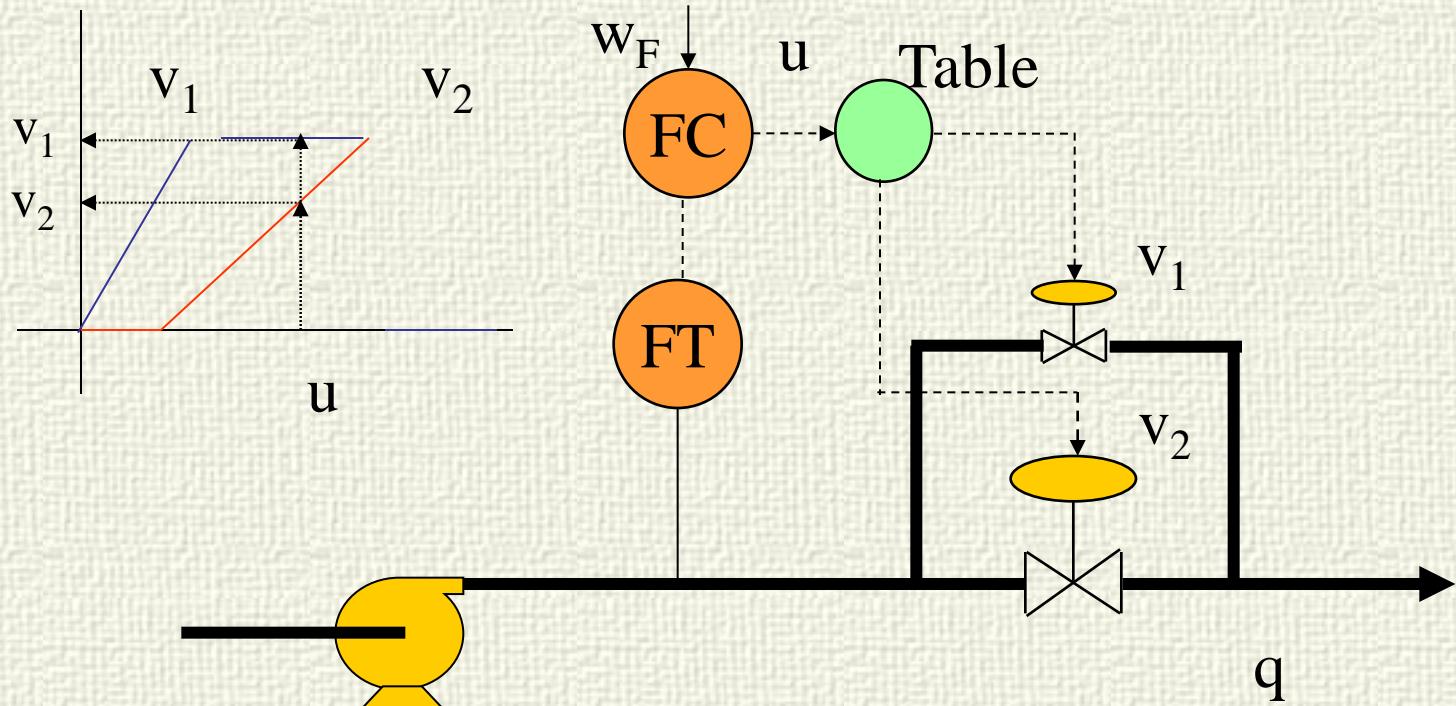


# Safety

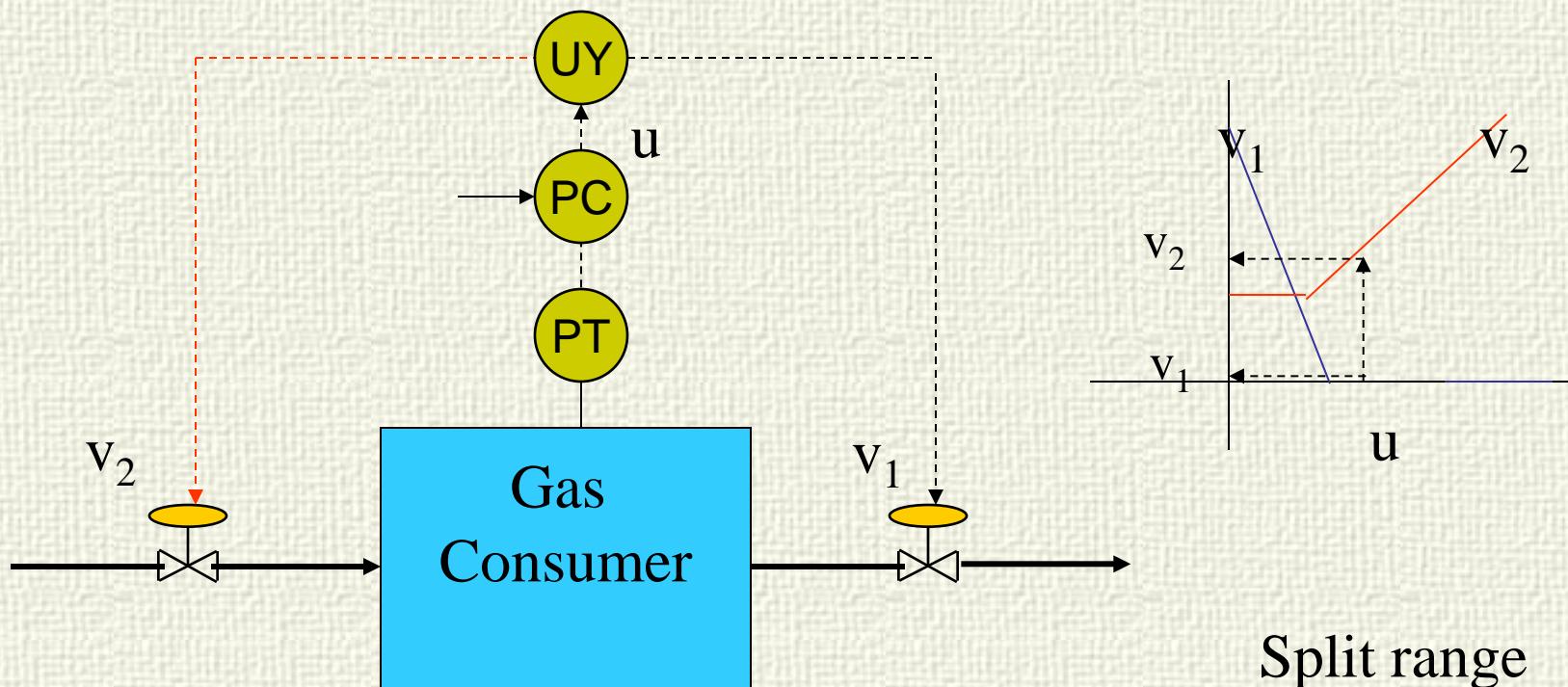
To the atmosphere



# Split-range Control



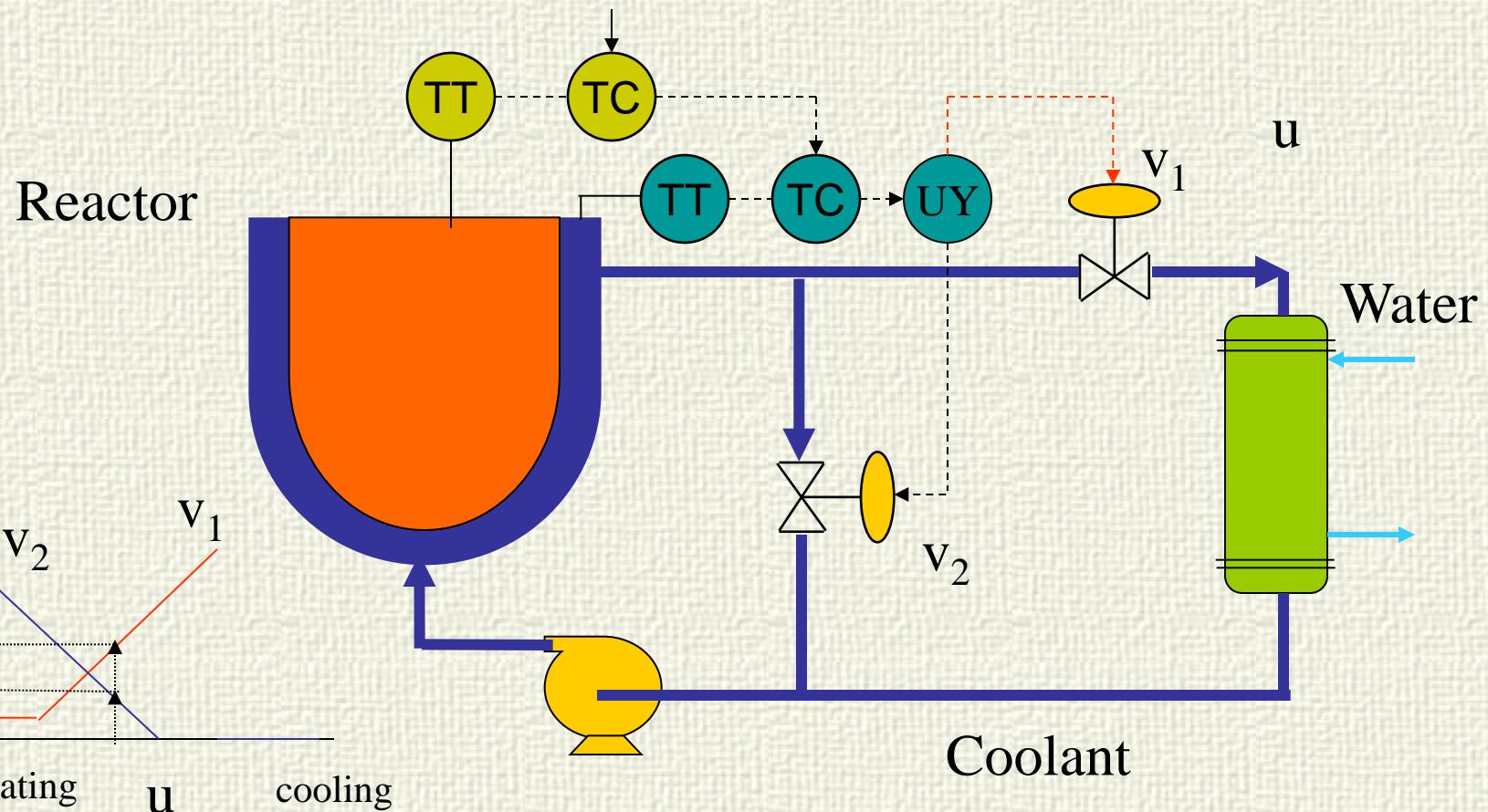
# Split-range Control



Split range

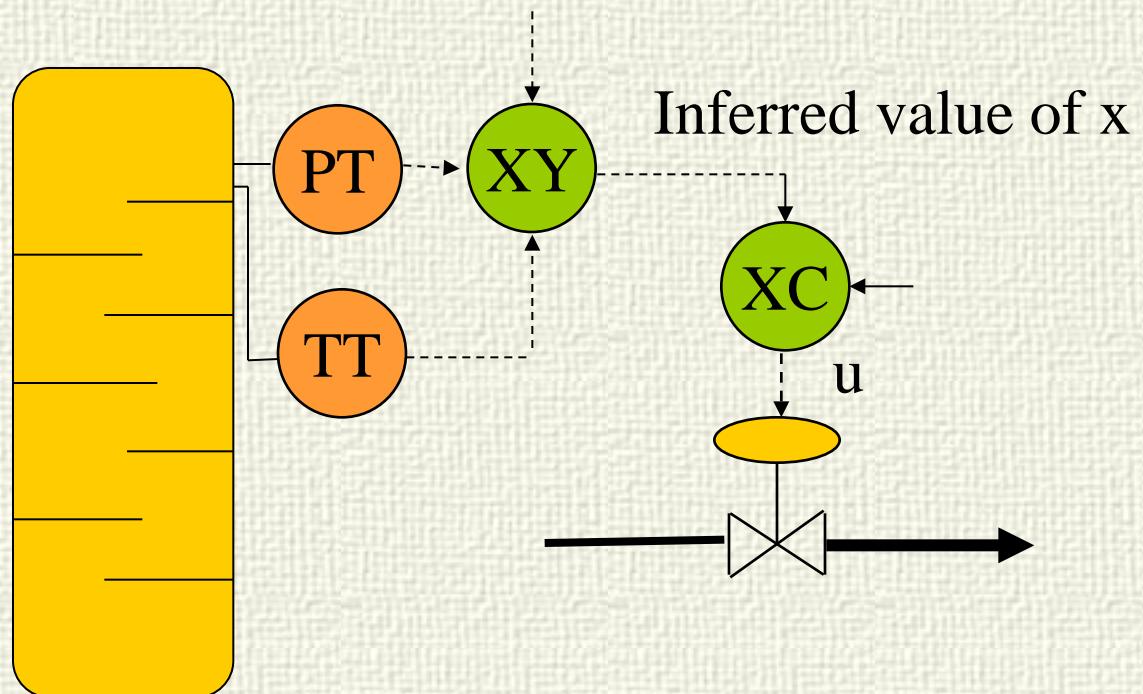
Under normal operating conditions, pressure regulation is performed with  $V_2$ , but if it reaches its minimum, then  $V_1$  is used as a release valve

# Split range Control

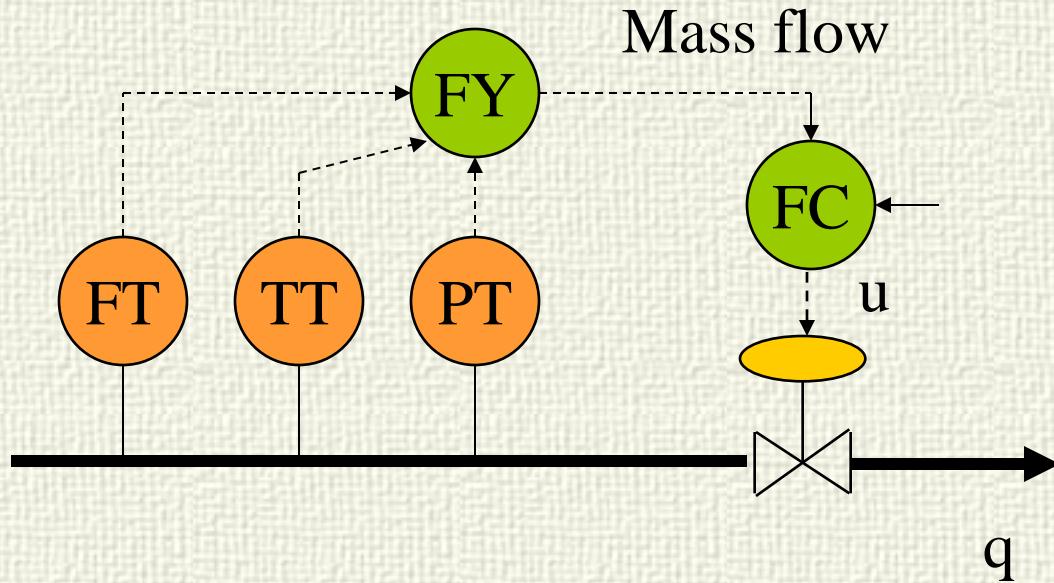


# Inferential Control

Very often, we faced variables that are expensive or difficult to measure, or which measurements are unreliable or slow. In these cases, it is possible to substitute the transmitter signal by an estimation made from physical laws, models like NN, inferences, etc.



# Inferential Control



Compute or estimate a non-measured controlled variable. Compute mass flow from volumetric flow, pressure and temperature

# Physical laws

